

Models and Control Strategies of a Multimodal Transportation Network

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ENTPE

- Engineering School established in 1954:
 - Civil engineering;
 - Environmental;
 - Transports;
- Several Master of Sc.
- 700 students



- First shows of **U2** and **The Cure** in France!



My background

- M.S. CEE-Transportation (ENTPE):
 - LWR model calibration;
- M.S. Operational Research (Uni. of Grenoble):
 - Cellular automata;
- Ph.D. CEE-Transportation (Uni. of Lyon):
 - Fundamental Diagram estimation methods;
- Assistant Prof. at ENTPE (Licit) since 2009:
 - Multimodal and Multiscale models for urban traffic management.



Motivations (1/2)

Optimizing the global performance of the network

Control strategies that combine actions targeted at

Infrastructure

Intermittent Bus
Lanes

X. Xie (*PhD*)

Perimeter control

Z. Hua (*Post Doc*)

Bus line control

Dynamic control

E. Hans (*PhD*)

Global evaluation & Optimization

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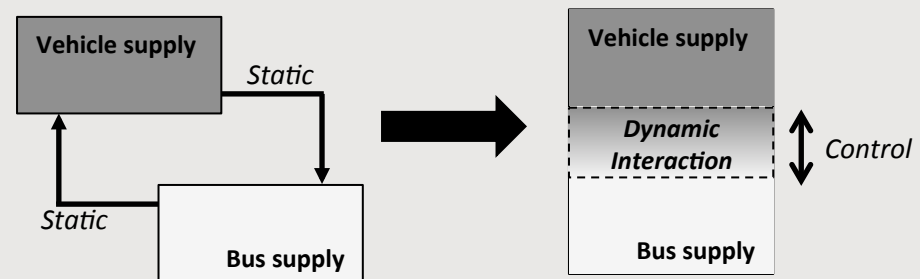
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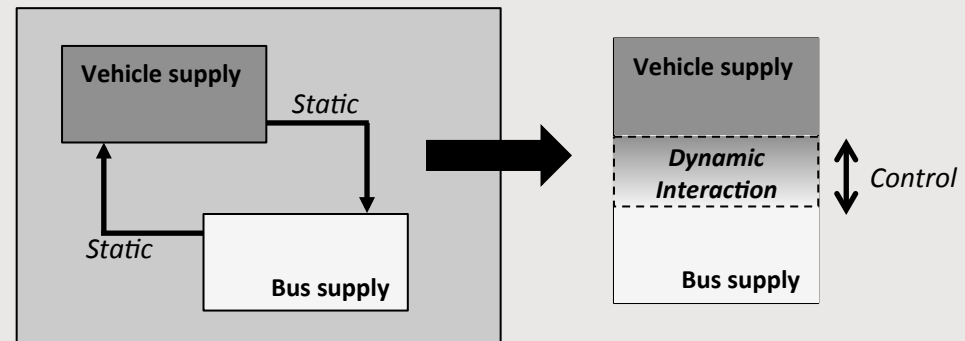
Motivations (2/2)

- **To shift attention from movement of vehicle to movement of people:**
 - Vehicle-based models, e.g. KW model;
 - Bus-based models;



Motivations (2/2)

- **To shift attention from movement of vehicle to movement of people:**
 - Vehicle-based models, e.g. KW model;
 - Bus-based models;



- **First step:**
 - A common evaluation function of the performance of a multimodal network;

Overview

1. Macroscopic Fundamental Diagram

Background

2. Extensions to assess to the number of passengers and modal choice

Definition

Impact of mode choices

3. Evaluation of IBL strategies

Analytical considerations

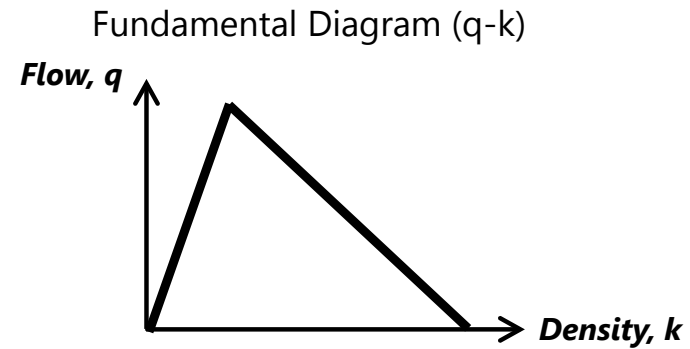
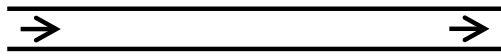
Full comparison

Macroscopic Fundamental Diagram

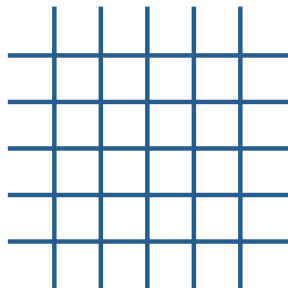


Macroscopic Fundamental Diagram

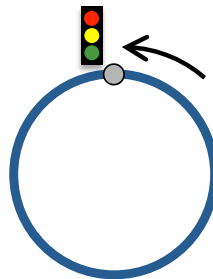
Single Road Link



Homogeneous Network, Represented as a Ring



~



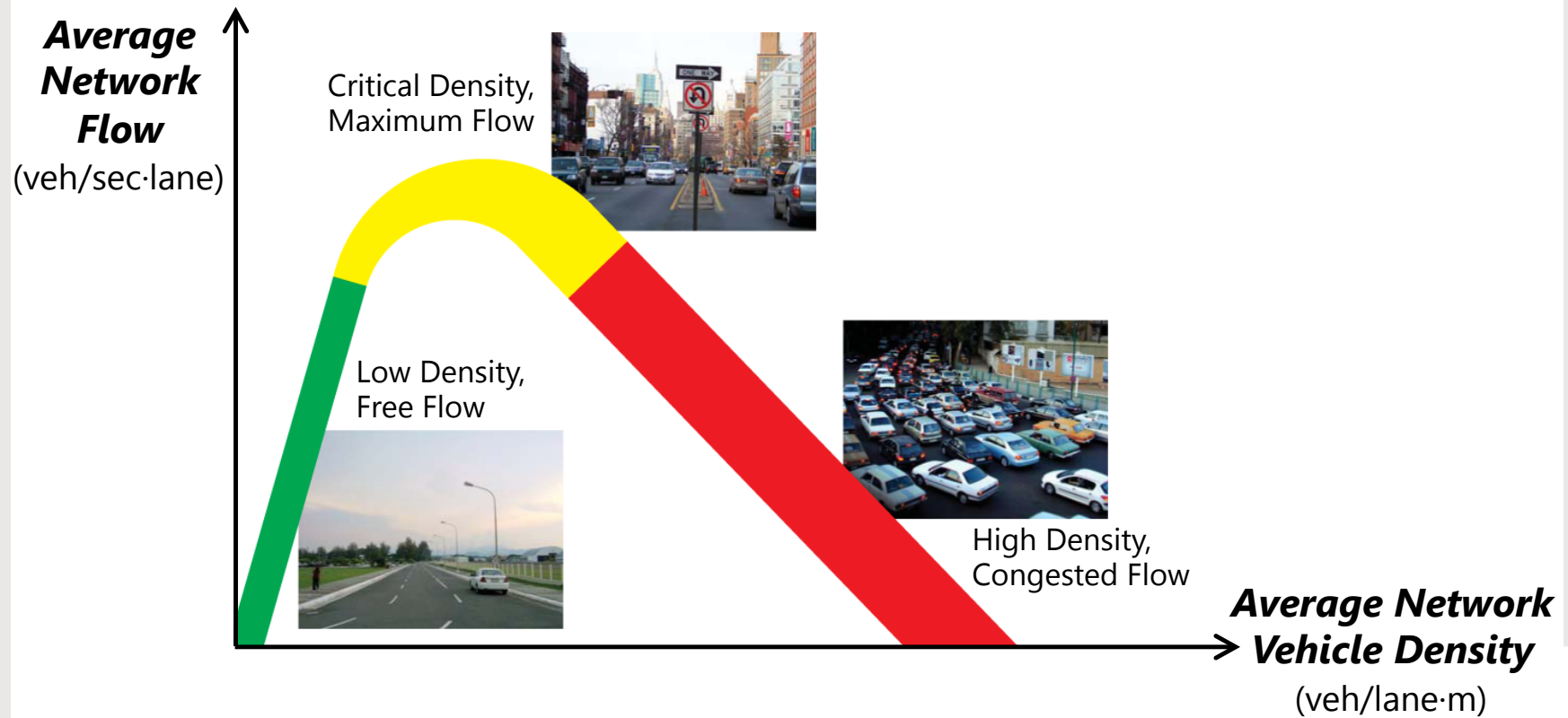
?

Thanks to E. Gonzales, uMass.

Macroscopic Fundamental Diagram

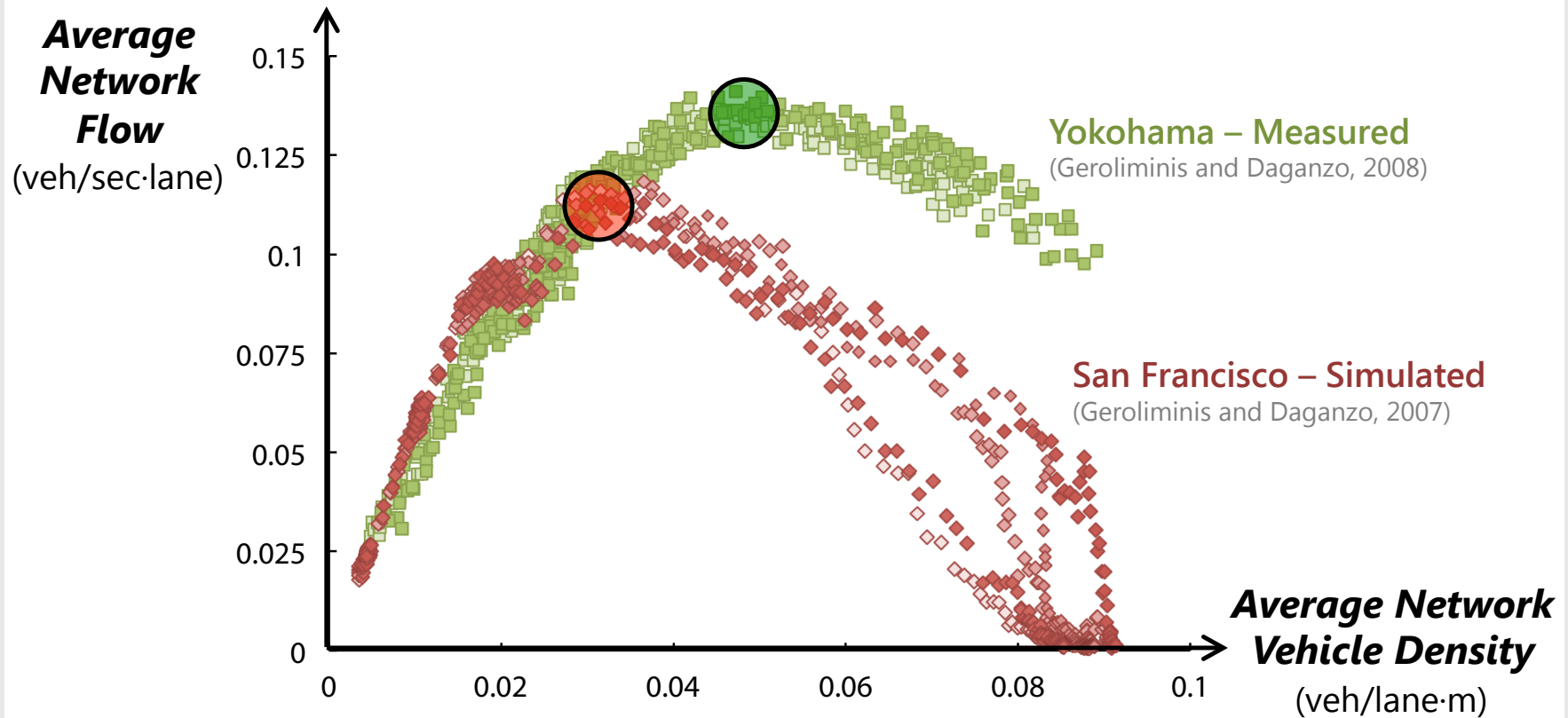
Macroscopic relationship between trip completion rate and density

(Daganzo and Geroliminis, 2008)



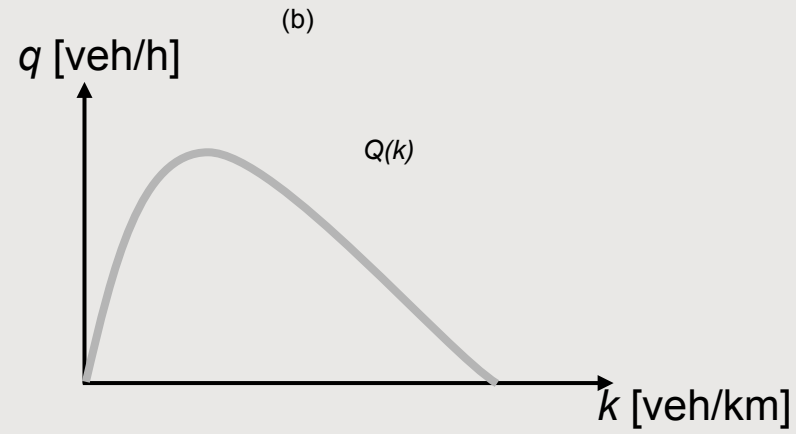
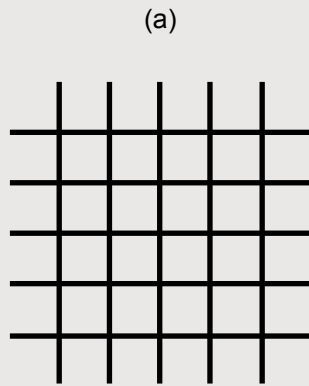
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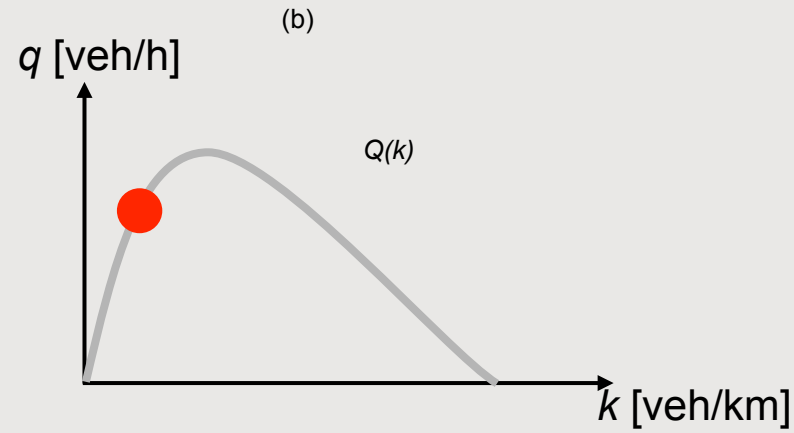
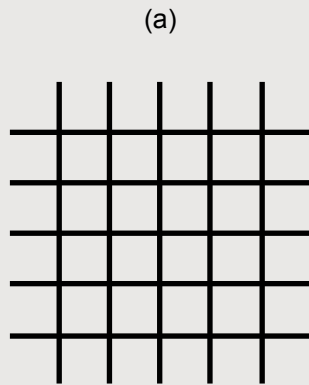


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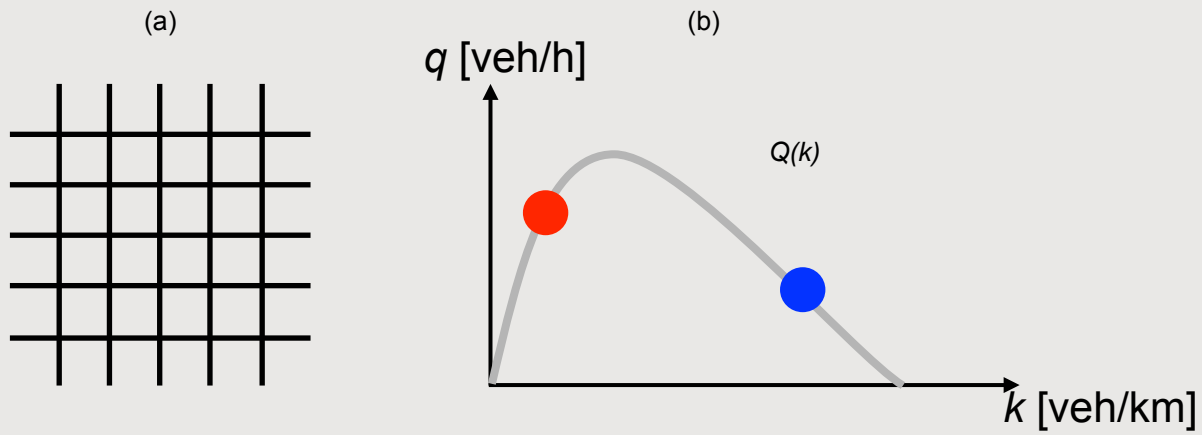
Macroscopic Fundamental Diagram



Macroscopic Fundamental Diagram



Macroscopic Fundamental Diagram



MFD background (1/2)

- Reproduces traffic dynamics:
 - At an aggregated scale (arterial, part of a city, city, etc.)
 - As an uniform reservoir (same traffic conditions on each link);
 - By linking the average density to the average flow (give access to the average speed);
- Very convenient:
 - Still captures traffic flow dynamics;
 - But with few parameters.



MFD background (2/2)

- Various approaches to estimate MFDs:
 - Account for traffic signals, control strategies and impacts of multimodality (public transport, trucks);
- Makes it possible to:
 - Compare different traffic management strategies;
 - Evaluate ex ante the network performance;
- However, MFD only expresses the performance in term of number of vehicles:
 - **Need to extend to account for the number of passenger!**



N. Chiabaut, 2015.

Evaluation of a multimodal urban arterial: the passenger MFD.

Tr. Res. Part B, *in press*.

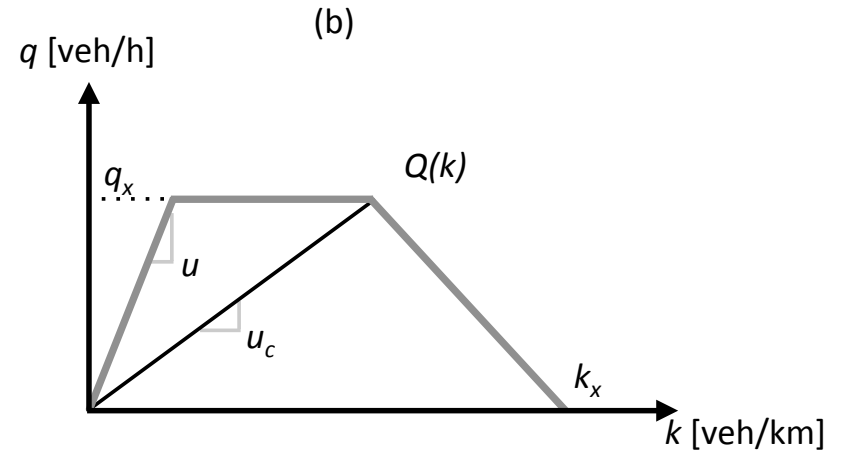
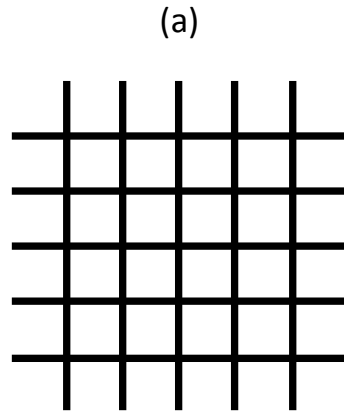
Passenger-MFD



Objectives

- To provide a framework for the global evaluation of a transportation network:
 - Passenger MFD;
 - Impacts of modal choice;
- To apply this new method to design and compare traffic management strategies:
 - Optimal time-headway;
 - Introduction of dedicated bus lanes;
 - Intermittent bus lanes.

Case study



- A meshed urban network with signalized intersections
- Two transportation modes: individual car and bus.
- Traffic is supposed to obey a MFD:
 - Average flow and density of cars in the road of the network;
 - Average occupancy ρ_c ;
- Bus system characteristics:
 - Free-flow speed u_t ;
 - Time-headway h ;
 - Average occupancy ρ_t .

The passenger MFD (p-MFD)

- It combines both modes (cars and buses):
 - p-MFD relates the average density of pax within the network with the average flow of pax;

$$P(K) = F_c(K_c) + F_t(K_t)$$
$$K = K_c + K_t$$

- K_c & Q_c : density and flow of cars (pax)
 - K_t & Q_t : density and flow of transit (pax)
- A crucial variable:
 - the mode choice.

$$\tau = K_c / K$$

- Equilibrium has a strong impact on the p-MFD shape.

Static modal ratio (1/3)

- It does not depend on traffic conditions:
 - τ is exogenously given;

$$P(K) = \tau F_c(K_c) + (1 - \tau) \cdot F_t(K_t)$$

- $F_c(K_c)$ is given by the MFD weighted by the average occupancy;
- $F_t(K_t)$ directly comes from the bus system characteristics:
 - Free-flow: easy – $F_t(K_t) = \rho_t / h$.
 - Congestion: more difficult.

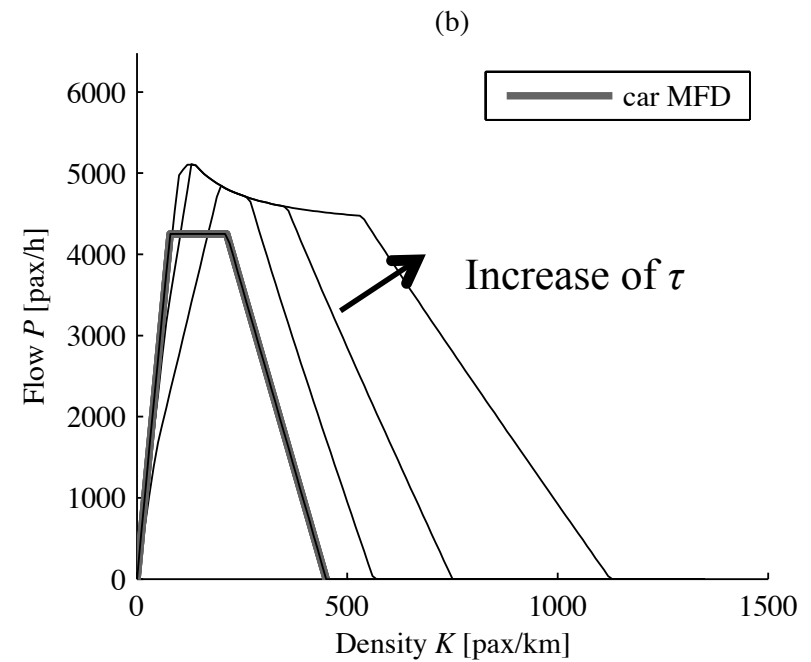
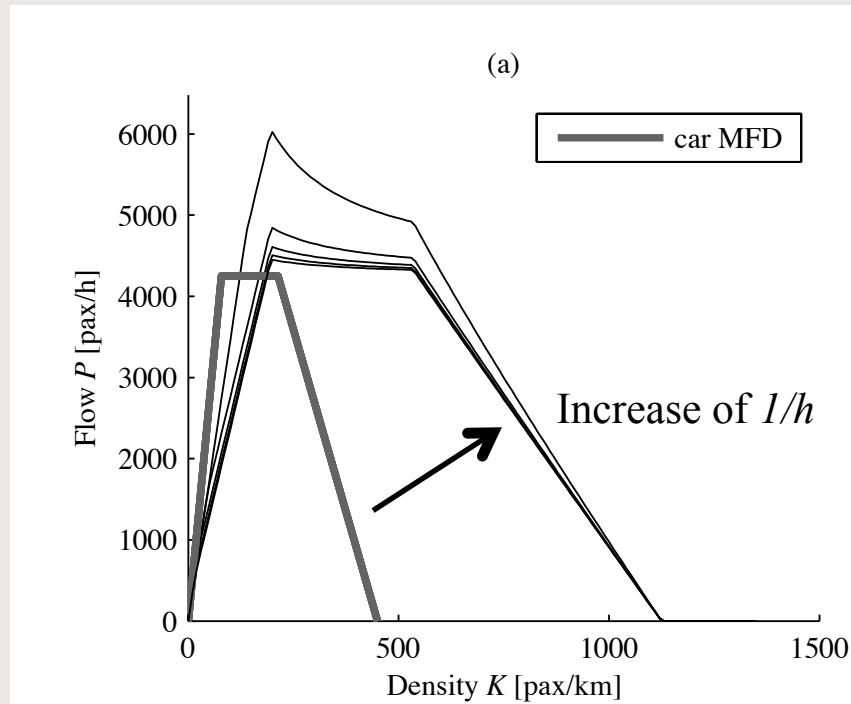
Static modal ratio (2/3)

- Traffic flow constrains the bus when:
 - $v_c < u_t$;
- We assume that the number of buses in operation is constant:
 - Time-headway has to be updated based on traffic conditions;
 - $h = L/(n_{bus} \cdot v_c)$ where L is the average length of the transit lines.
- It comes:

$$P(K) = \rho_c q \left(\frac{\tau K}{\rho_c} \right) + \frac{1}{L} \cdot \min((1 - \tau)K \cdot L, \rho_t n_{bus} / L) \cdot \min(u_t, v_c)$$

Static modal ratio (3/3)

- Sensitivity to:
 - Bus time-headways;
 - Mode choice ratio.



Dynamical mode ratio

- τ can now depend on traffic conditions;
- We focus on two equilibriums:
 - User equilibrium (UE);
 - System optimum (SO).
- **UE**: each driver seeks to minimize his travel time, i.e. maximize his average speed;
- **SO**: the average travel time is minimized, i.e. the average speed is maximized.



System Optimum (1/3)

- P-MFD is now given by:

$$P(K) = \max_{\tau} [\tau \cdot F_c(K_c) + (1 - \tau) \cdot F_t(K_t)]$$

- Free-flow:

– Switch of mode when:

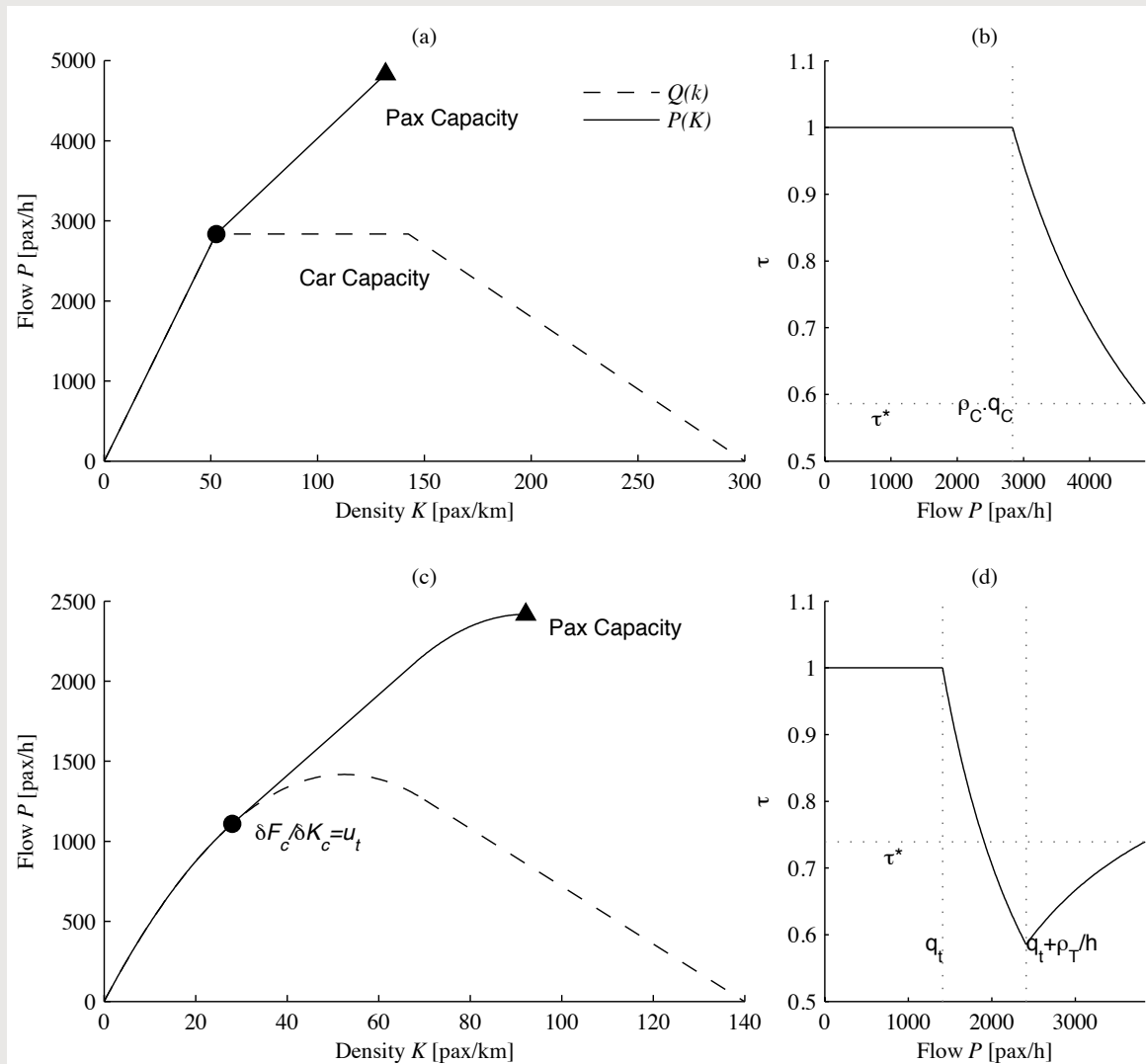
$$\frac{\delta K_c}{\delta F_c} (F_c^*) = \frac{1}{u_t}$$

- Congestion:

– Bus time-headway have to be dynamically changed.

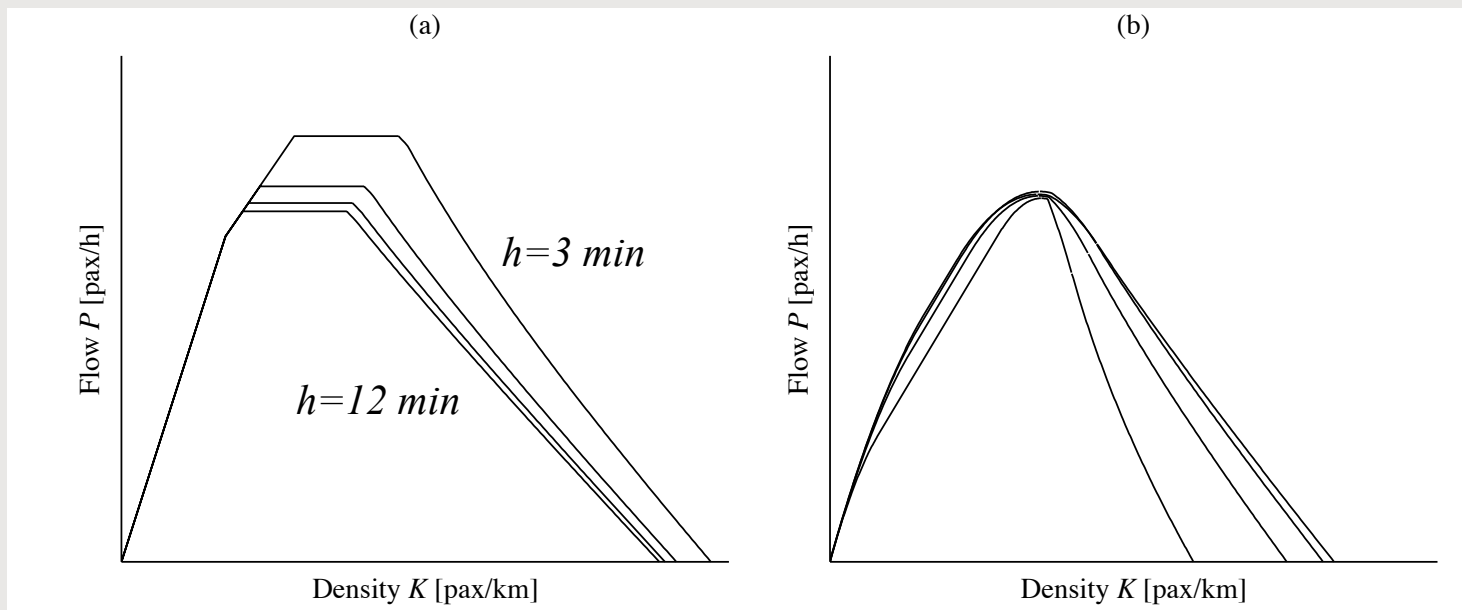


System Optimum (2/3)



System Optimum (3/3)

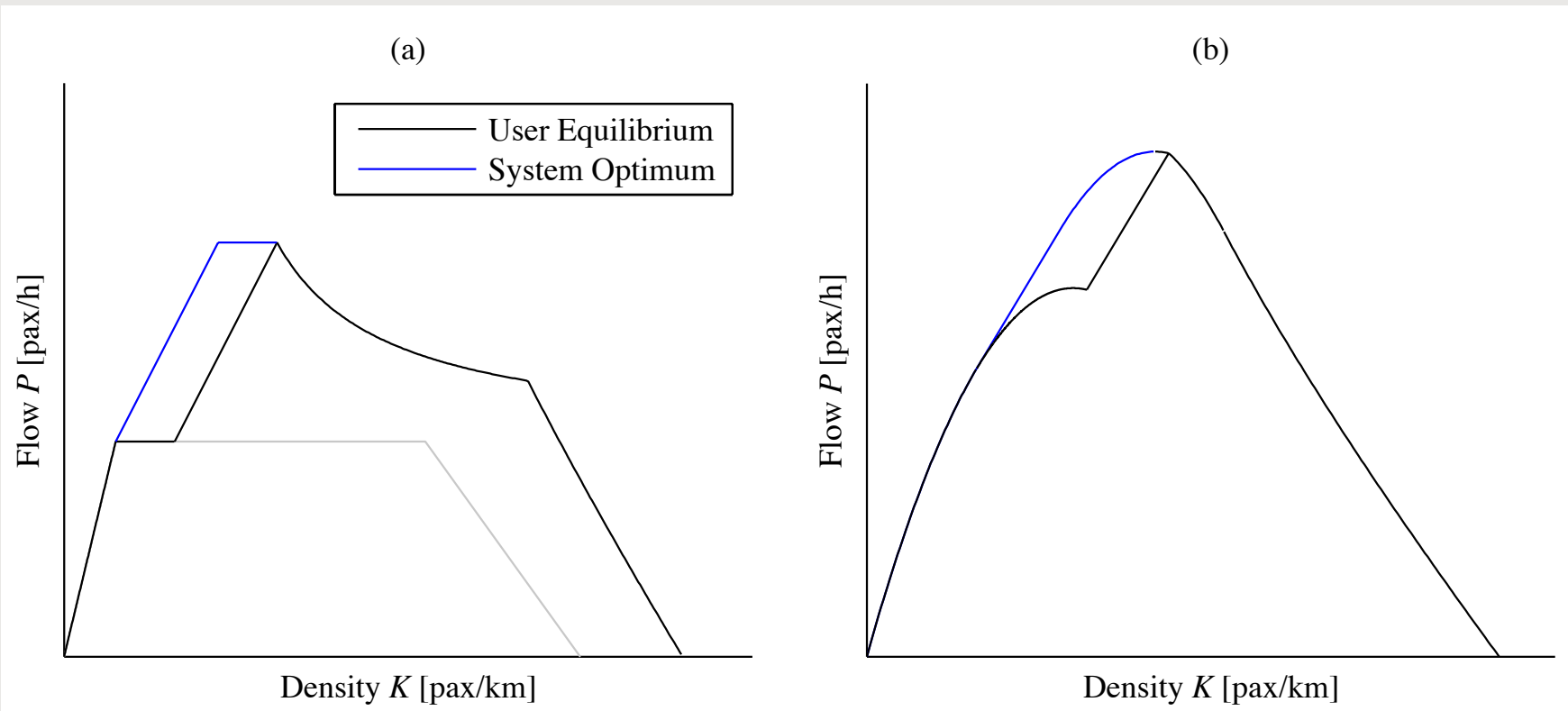
- Sensitivity to bus time-headway:



User Equilibrium (1/4)

- Individual optimal solution:
 - pax seeks to minimize their travel time;
 - First Wardrop principle;
- Only one mode until speed of the car is equal to the bus free-flow speed:
 - Very easy to calculate.

User Equilibrium (2/4)



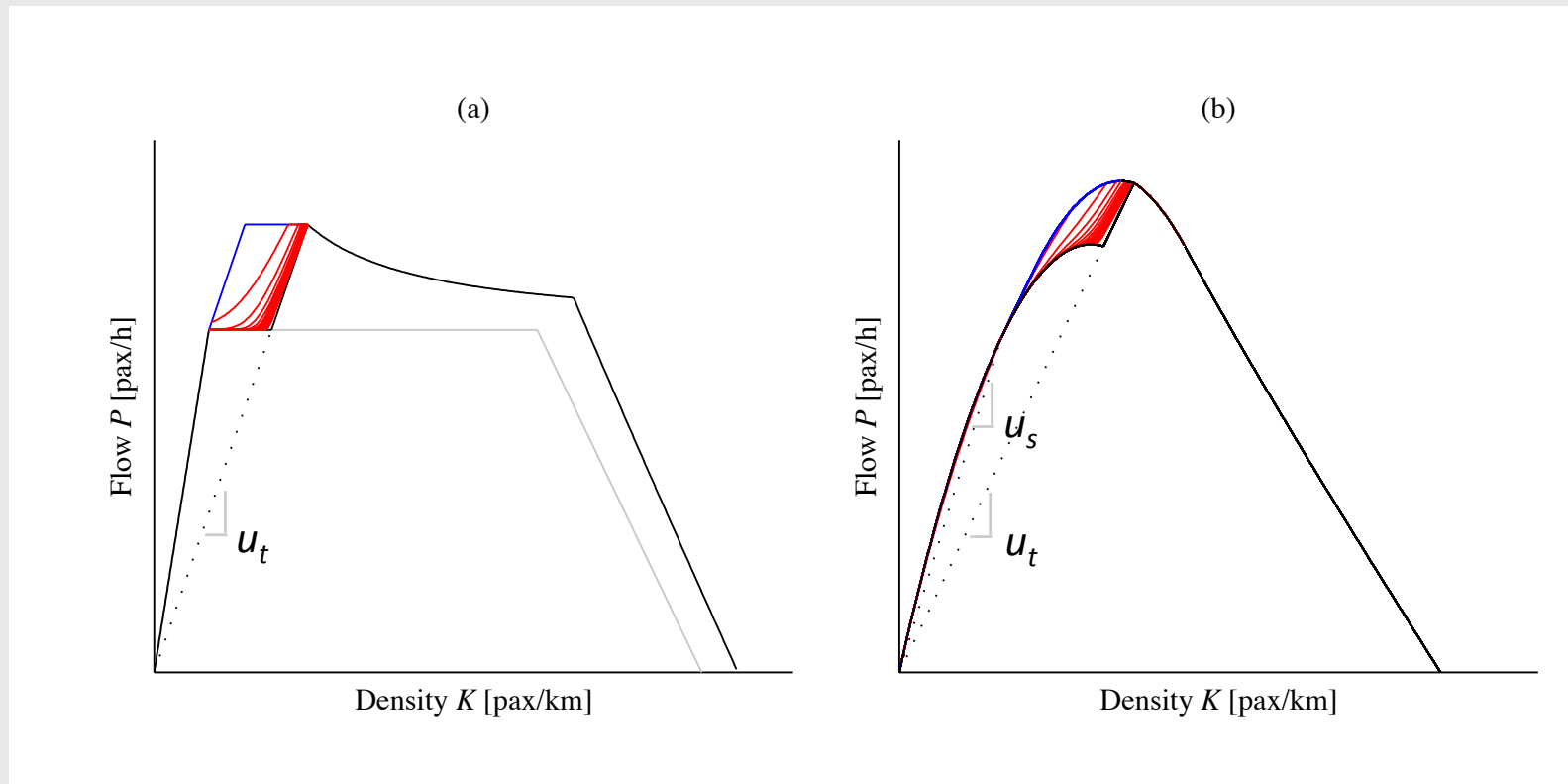
User Equilibrium (3/4)

- We can also test probabilistic mode choice model:
 - Ex: Logit model;
- Mode ratio depends on the travel time difference:

$$\frac{F_t}{F_c} = e^{-\theta \left(\frac{L}{v_t} - \frac{L}{v_c} \right)}$$

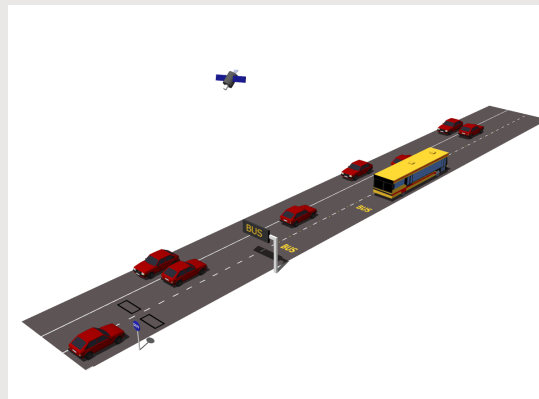
- Sensitivity to the theta parameter.

User Equilibrium (4/4)

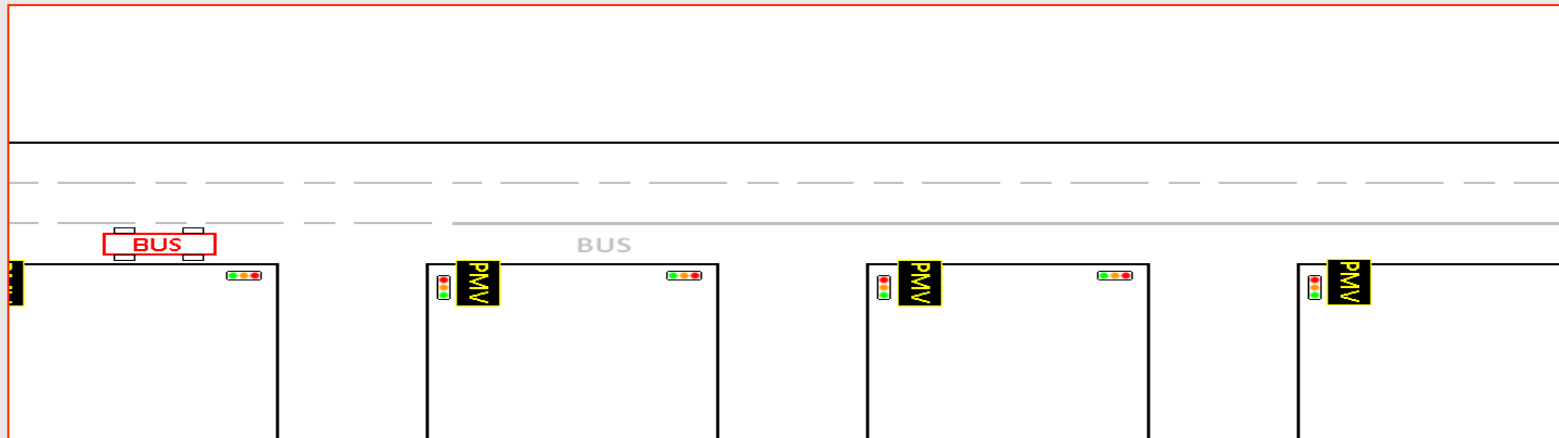
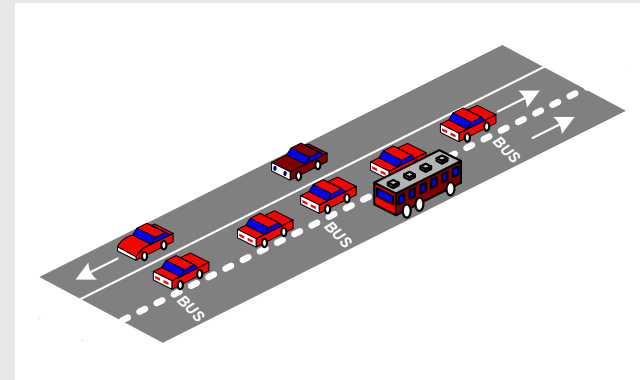
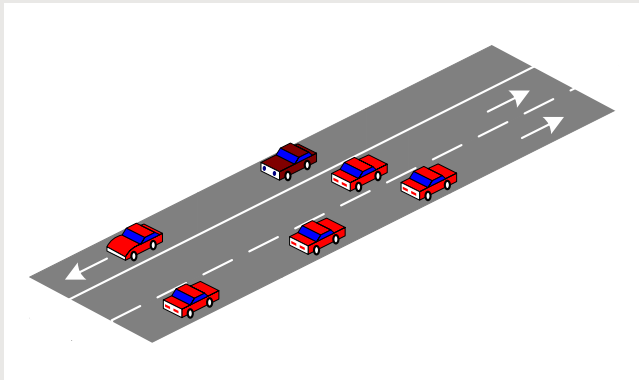


N. Chiabaut, X. Xie, L. Leclercq, 2014.
Performance analysis for different designs of a multimodal urban arterial.
Transportmetrica B: Transport Dynamics, 2(3), 229-245.

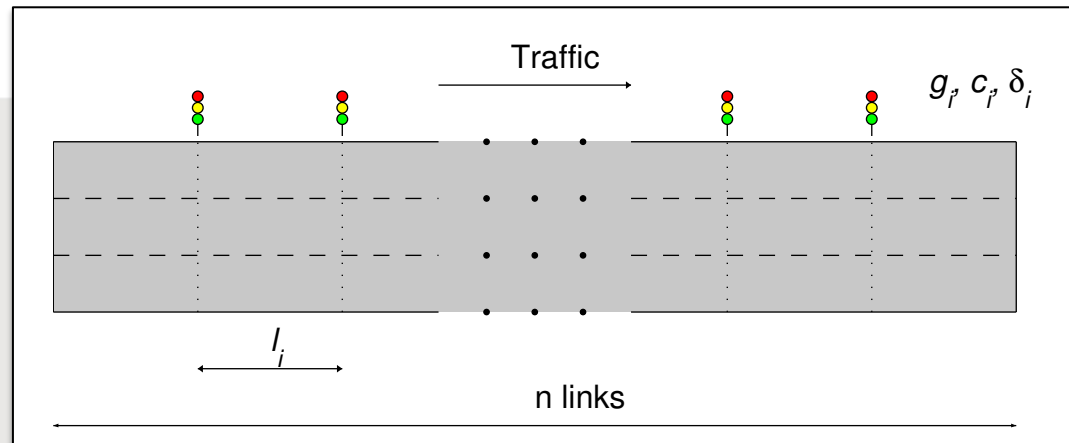
Application: Evaluation of IBL strategies



Intermittent Bus Lane (IBL)



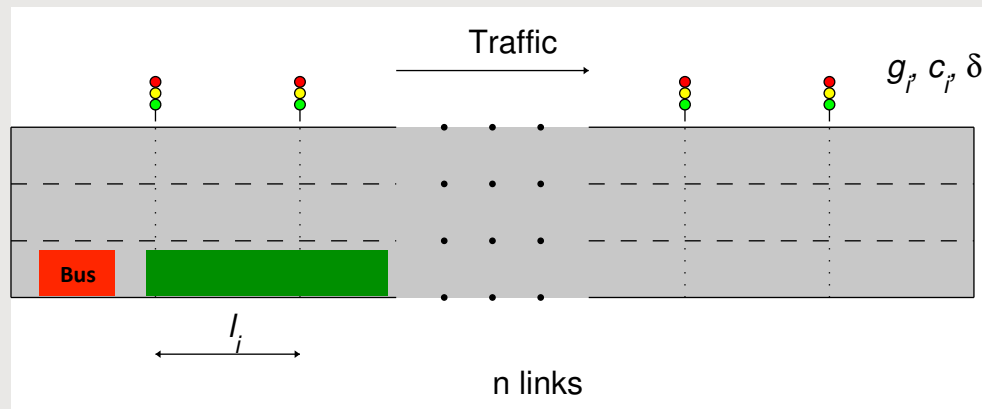
Case study



- Idealized urban arterial:
 - 3 lanes;
 - n links separated by traffic signals;
 - No turning movement;
- Bus system:
 - Bus time headway: h ;
 - No station;
 - Reduced speed u_b (smaller than free-flow vehicles speed u);
- Traffic is supposed to obey triangular FD:
 - Free-flow speed u ;
 - Congested wave speed w ;
 - Jam density κ .

IBL design

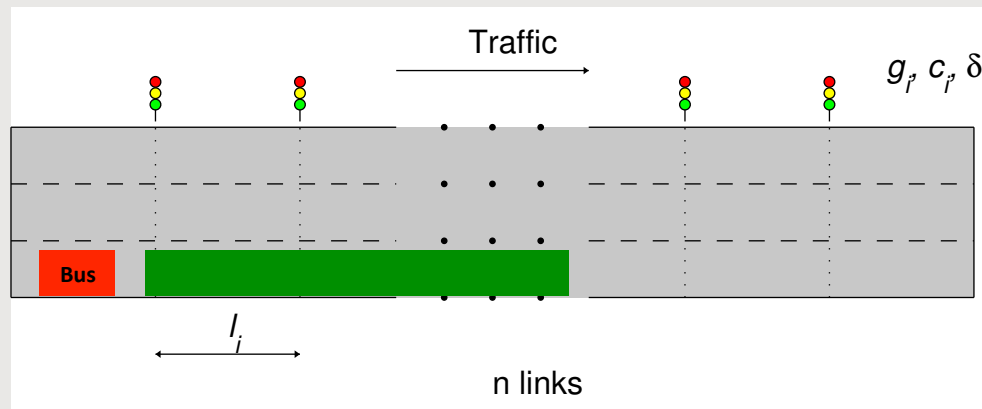
- When a bus is detected, right lane is dedicated for i successive links



2 links

IBL design

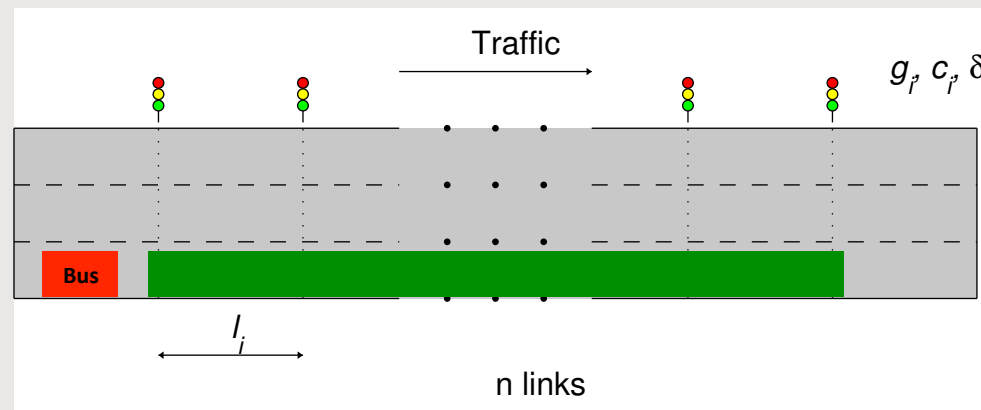
- When a bus is detected, right lane is dedicated for i successive links



3 links

IBL design

- When a bus is detected, right lane is dedicated for i successive links

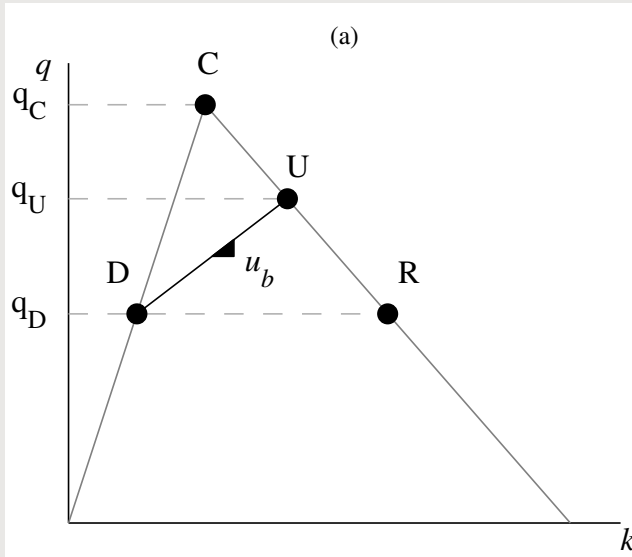


i links

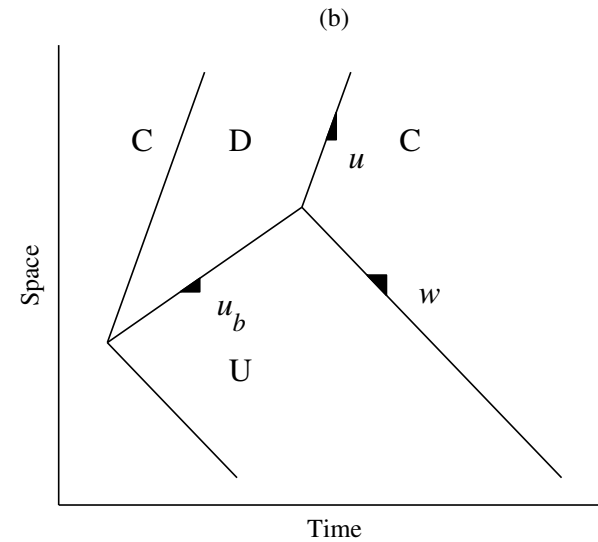
Connections between MB and IBL strategies (1/4)

- *Background: MB theory (Newell, 1998)*

3 lanes

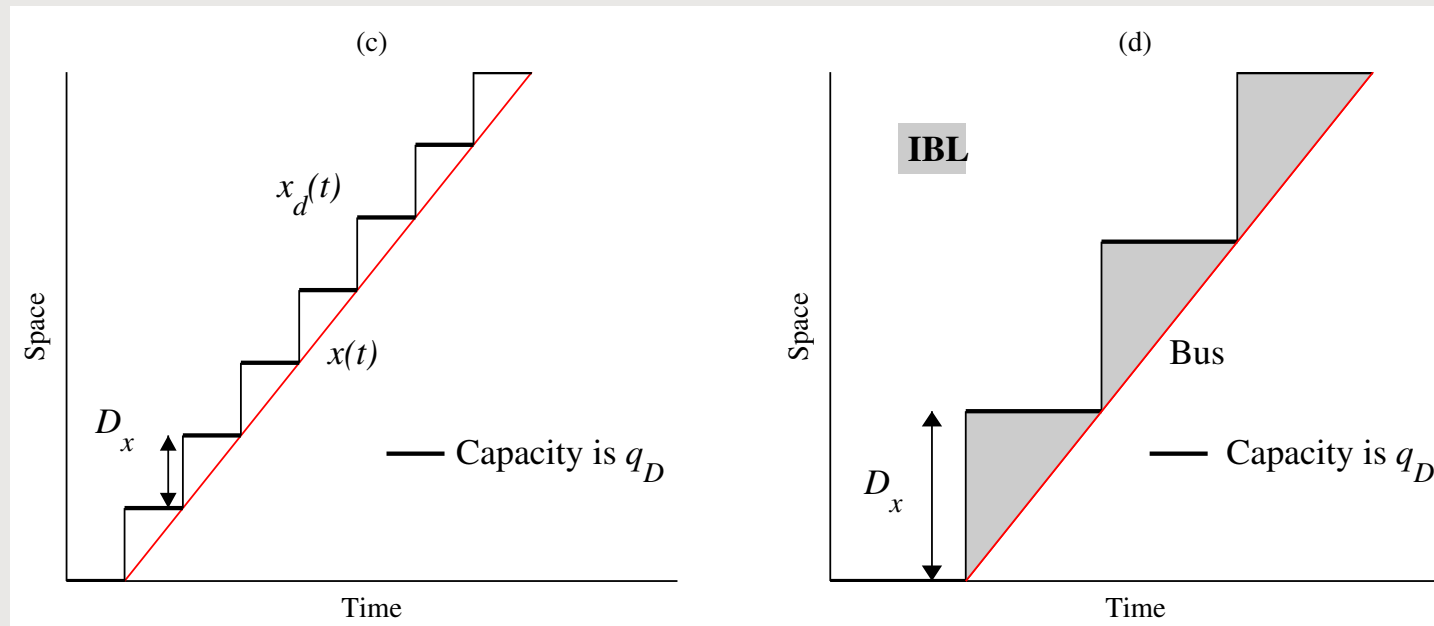


2 lanes



Connections between MB and IBL strategies (2/4)

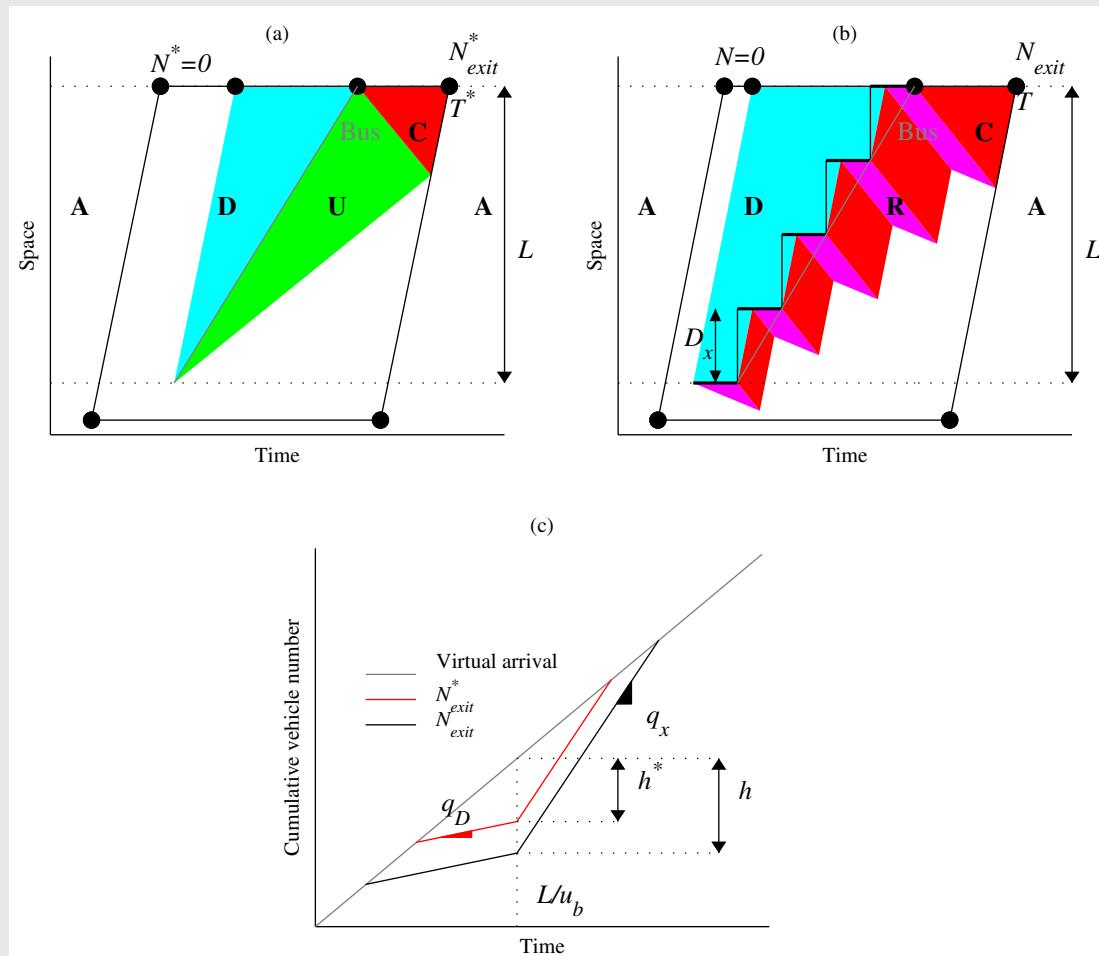
- *Background: MB discretization (Daganzo & Laval, 2005)*



**Scaling effect between
MB and IBL**

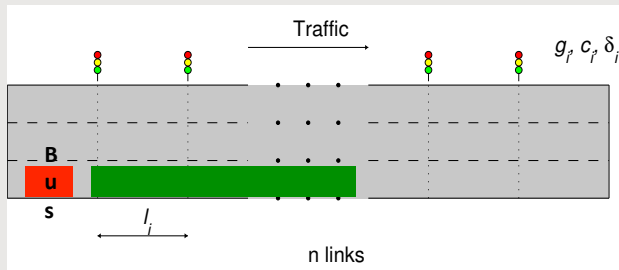
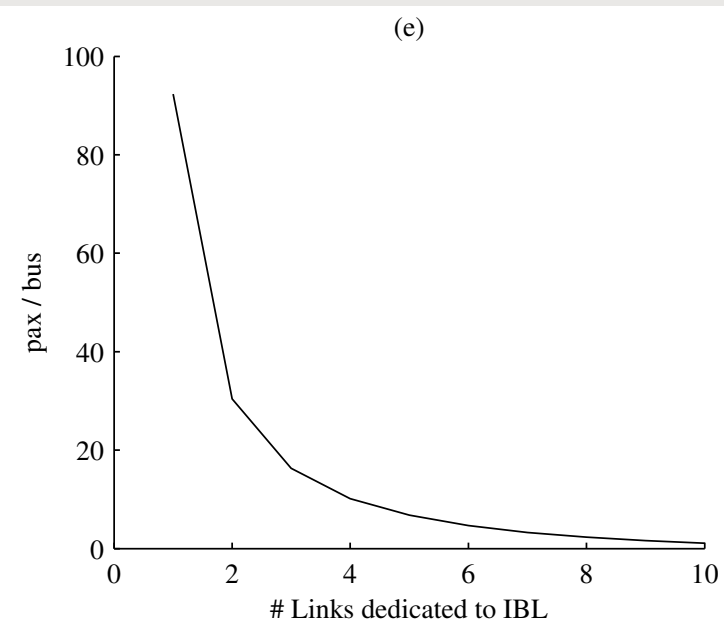
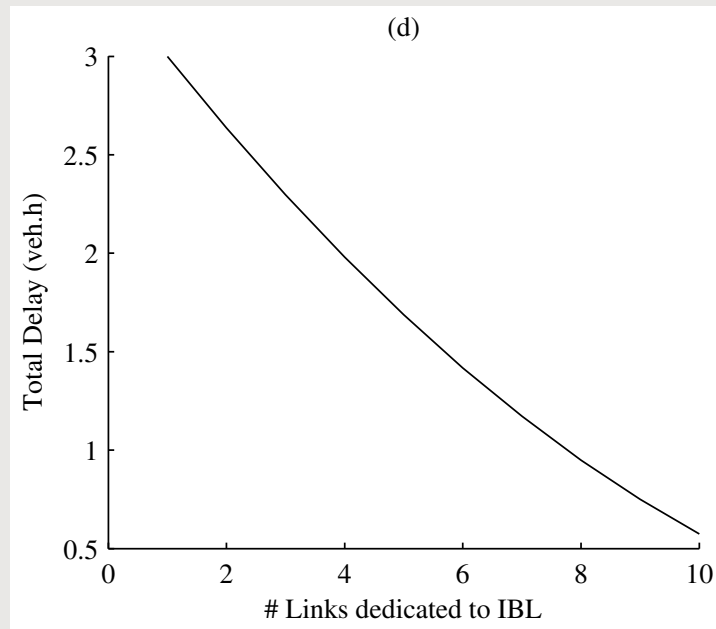
Connections between MB and IBL strategies (3/4)

- Calculations of delays



Connections between MB and IBL strategies (4/4)

- Delays introduced by IBLs



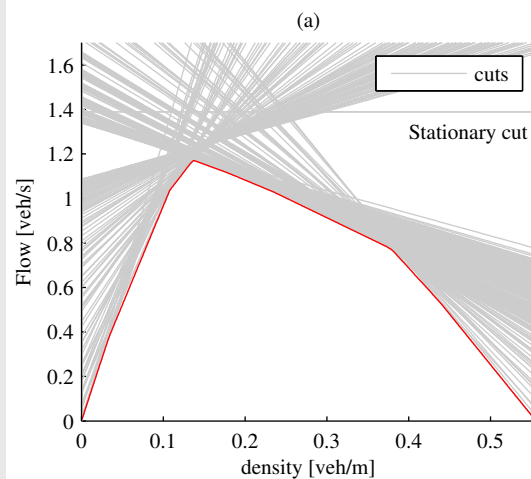
Next

- **Limitations:**
 - We only focus on free-flow situations ;
 - Influence of traffic signal is not considered ;
- **Forthcoming:**
 - Estimation of car MFD for MB and IBL cases;
 - Calculation of associated ***passenger MFD***;
 - Comparison of different designs.

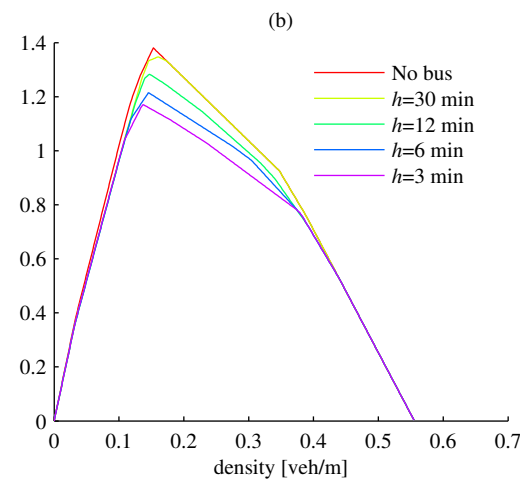
Estimation of MFD for MB and IBL cases

- Semi-analytical method:
 - Based on variational theory;
 - See *Hans, Chiabaut and Leclercq (2015, Tr. Res B)* or *Xie, Chiabaut and Leclercq (2013, TRR)*

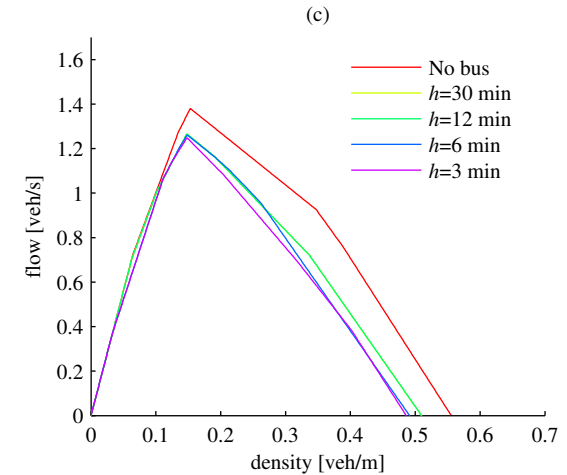
**All possible cuts
for one situation**



MB case

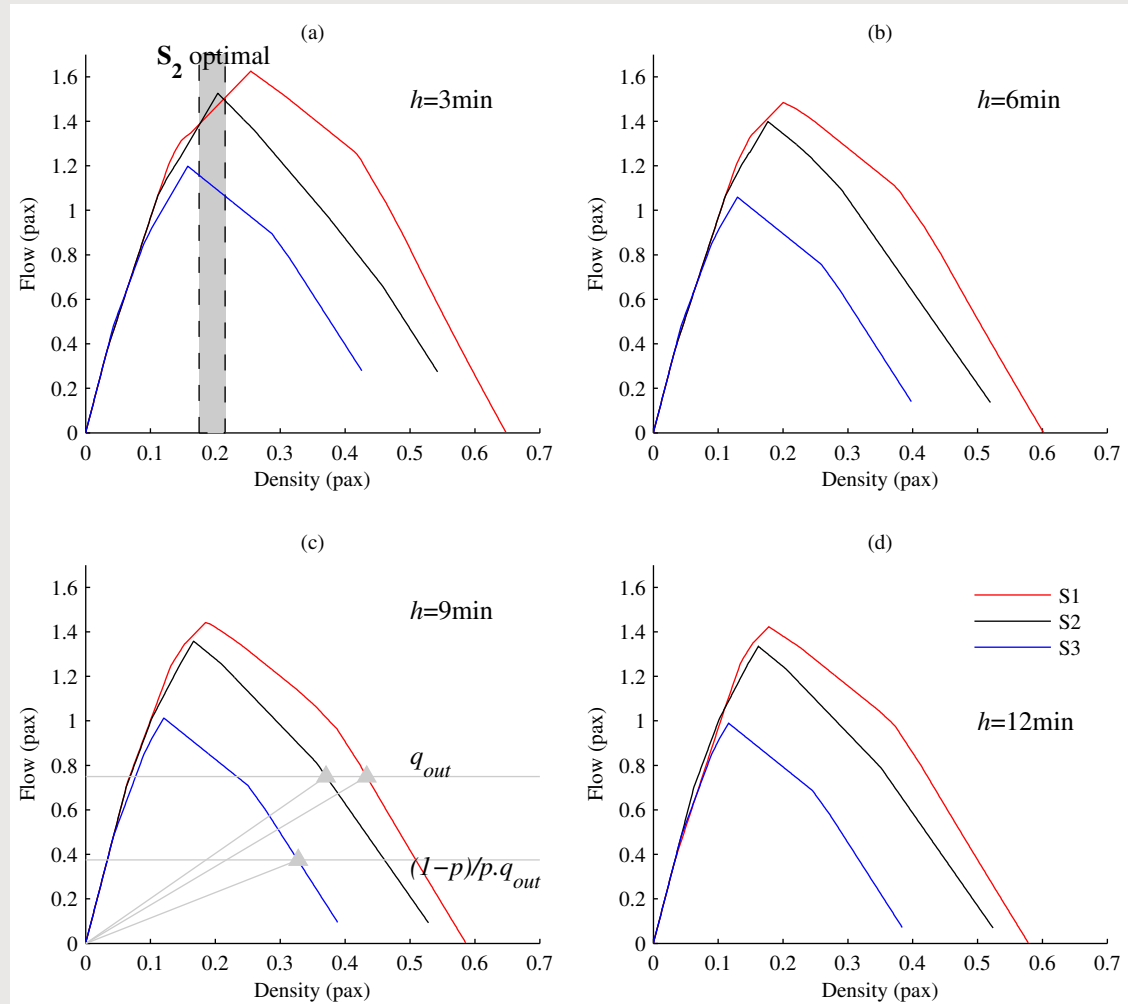


IBL case



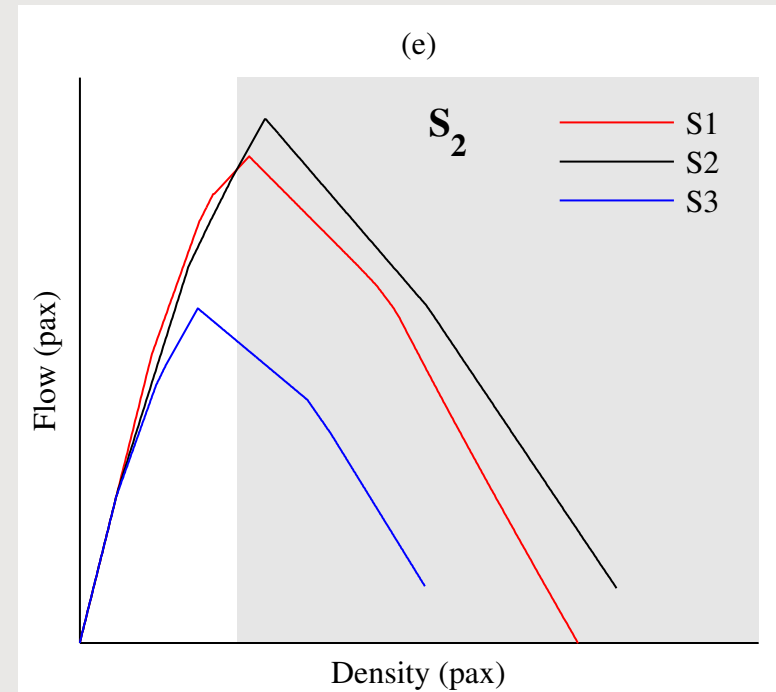
Comparison based on p-MFD

- **S1:** “do-nothing”
- **S2:** IBL
- **S3:** DBL



Domains of application of IBL

- A more realistic case (?)
 - **S1**: $h=9'$ and $u_b=8\text{m/s}$;
 - **S2-3**: $h=6'$ and $u_b=10\text{m/s}$;



Conclusions

- We provided tools to assess and compare various traffic management strategies;
 - Impacts of mode choice equilibrium;
- Applications :
 - Evaluation of IBL;
 - *Optimal bus time-headways*;
 - *Creation of DBL*;
- Future work:
 - Extension to others traffic management strategies (TMS) and comparison of hierarchical network;
 - Feedback between TMS and mode equilibrium;
 - Experimental estimation of p-MFD.

Questions ?

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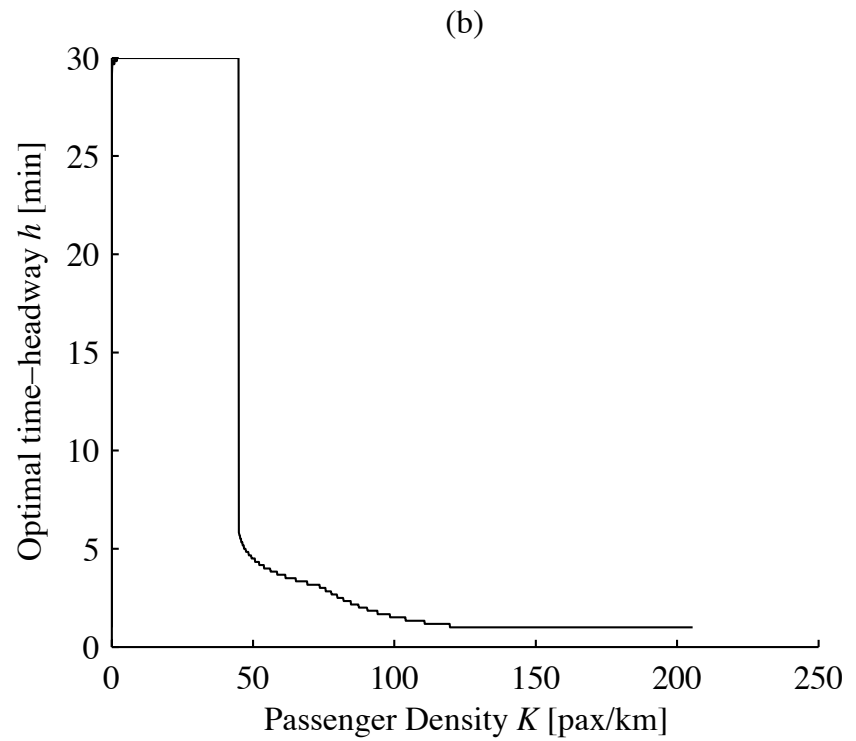
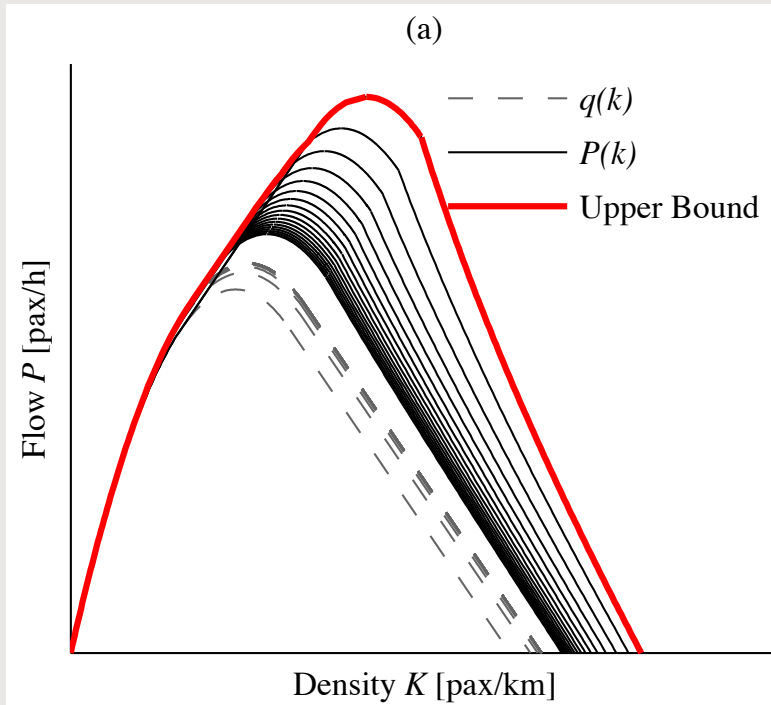
Application (1/5)

- We aim to determine optimal bus time-headway:
 - For a given demand, we determine the headway that leads to the minimal density, i.e. the maximal average speed;
- Impact of buses on individual cars is modeled as a reduction of the maximal capacity:

$$\left(n - e^{1 - \frac{h}{h_m}} \right) \cdot q_x / n$$



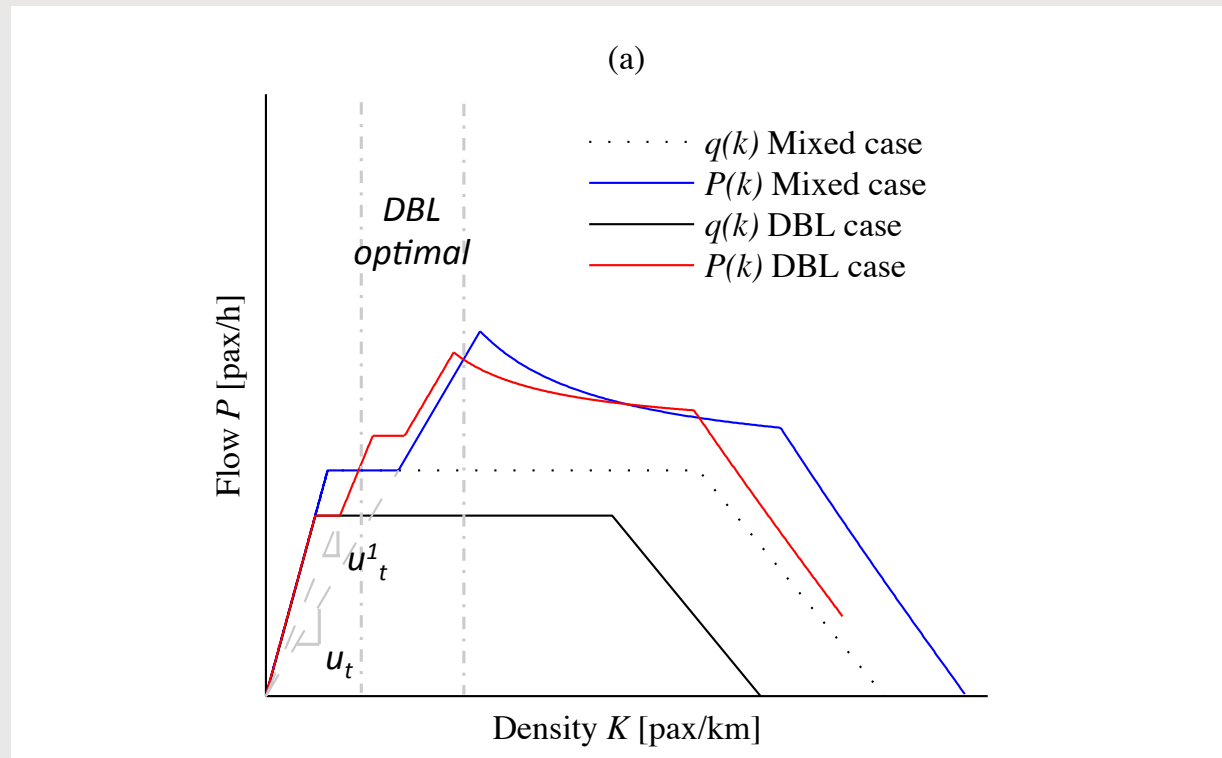
Application (2/5)



Application (3/5)

- We aim to determine effect of creating Dedicated Bus Lanes (DBL):
 - $\alpha\%$ of the network;
 - Car MFD is homogeneously reduced of $\alpha\%$ its original formulation;
- We calculate the upper bound of possible p-MFD:
 - Maximal flow for a given density.

Application (4/5)



Application (5/5)

