

On-street parking near intersections: effects on traffic

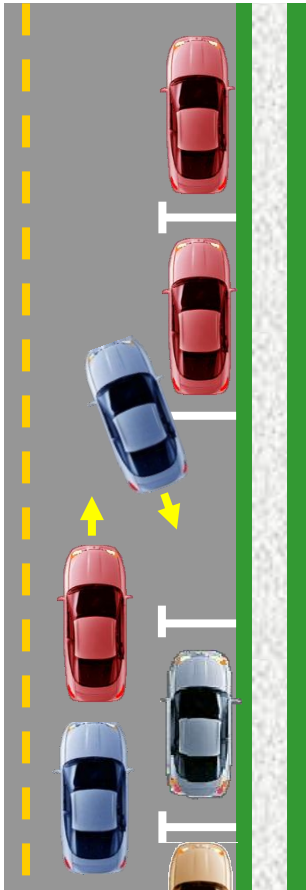
SVT

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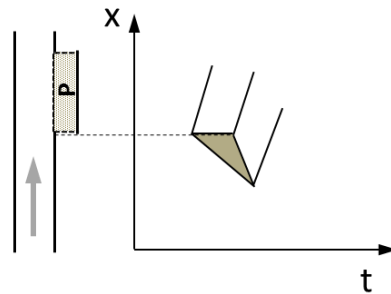
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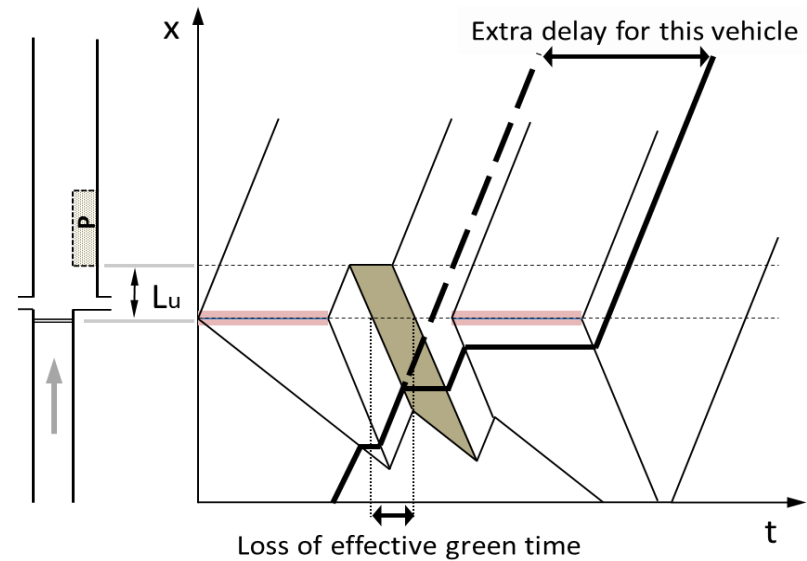
On-street parking



On-street parking



On-street parking near intersections



On-street parking near intersections

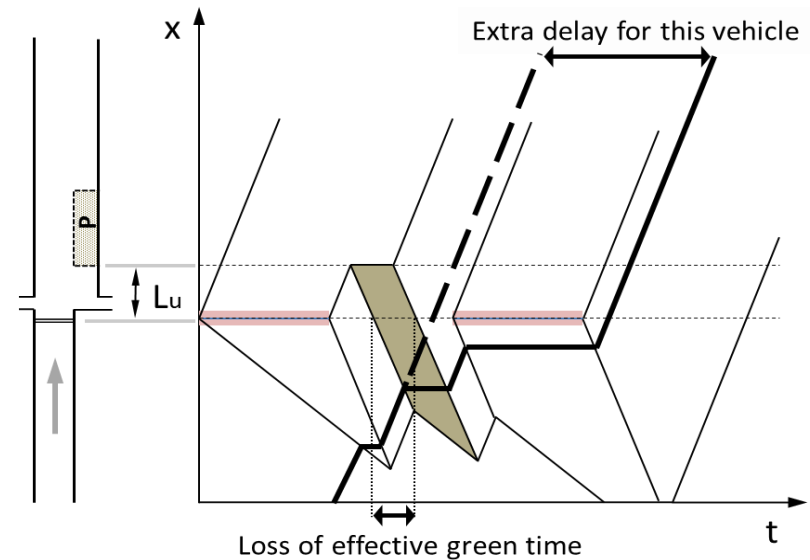
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The effects of parking to traffic can be problematic when the parking is near the intersection:

- A **capacity loss** of the intersection can be caused
- Long delay for individual cars
- The delay can continue to the other links, more vehicles can be affected



The delay and capacity loss depend on many conditions:

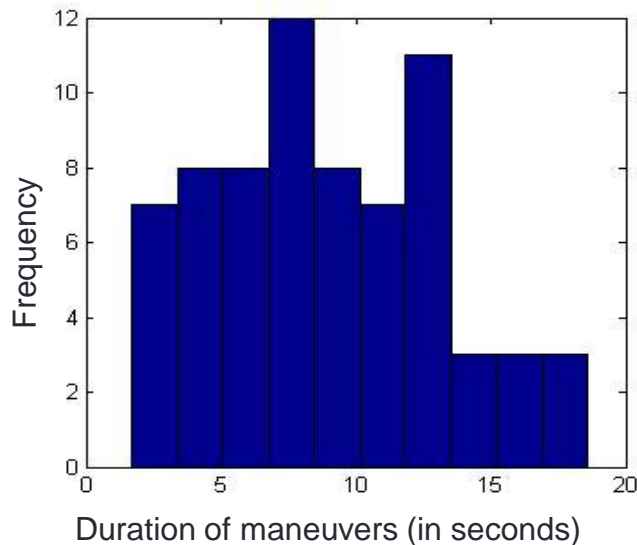
- Traffic flow
- Signal control
- Parking skills
- Distance to the intersection

On-street parking in Zurich

Duration of this maneuver:

3-18s From the data we collected in the center area of City Zurich (120 pieces of “park in” data), other references suggest 6-16s or on average 18s

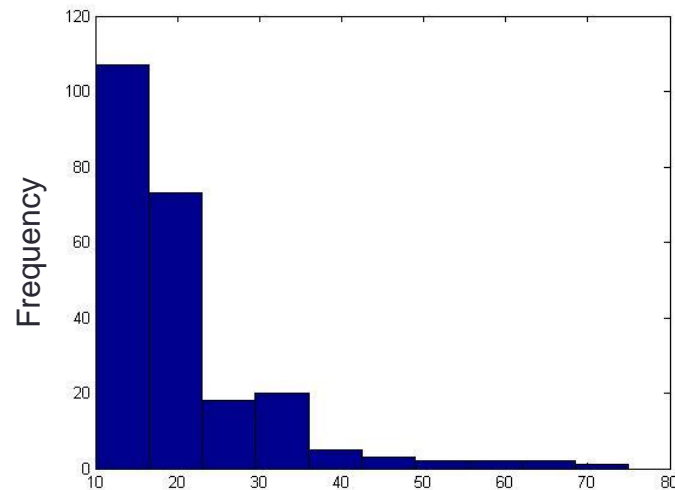
(source “Micro-simulation study on the effect of On-street parking on vehicular flow”, “Traffic and highway engineering”)



P

Lu

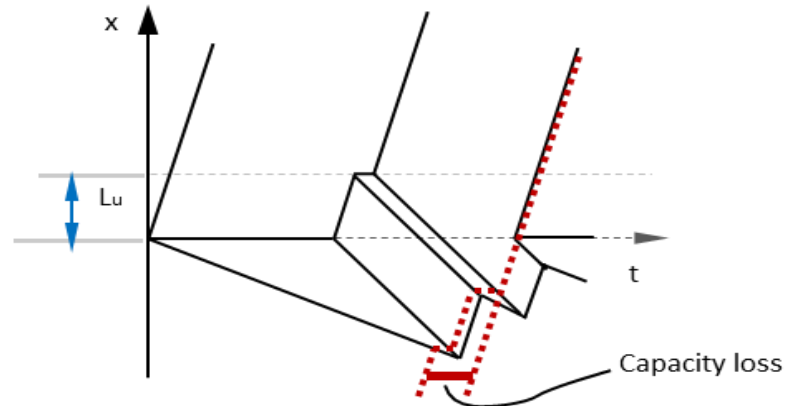
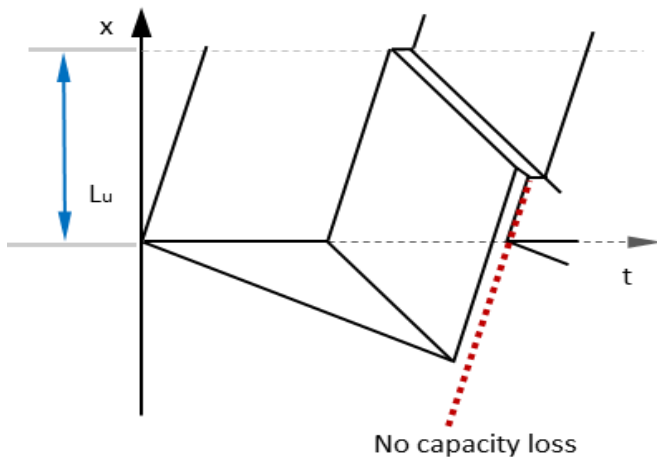
Distance of this on-street parking to intersection (only central area):



Distance from parking stall to stopping line of the upstream intersection

Capacity loss

The additional delay is avoidable, but the capacity loss is.



In this study, we aim to find out the condition of L_u to guarantee no capacity loss at the intersection.

Assumptions

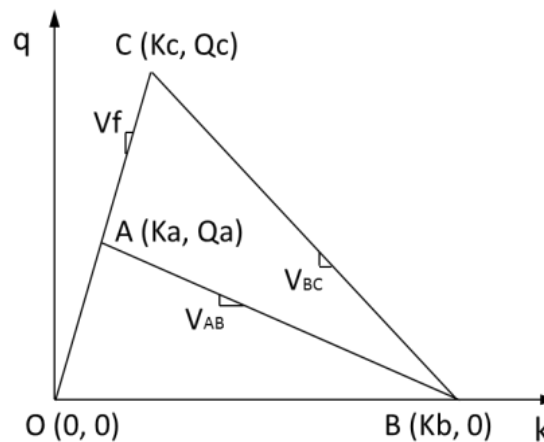
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Traffic states



$$\beta = \frac{V_{AB} \cdot (V_{BC} - V_f)}{V_{BC} \cdot (V_{AB} - V_f)}$$

Signal control

Cycle C, green signal G, red signal R

$$\alpha = \frac{G}{C}$$

Parking maneuver

The duration of the maneuver is P and $P < G$.
Following vehicles stop when parking happens.

$$\delta = \frac{P}{C}$$

On-street parking near intersections

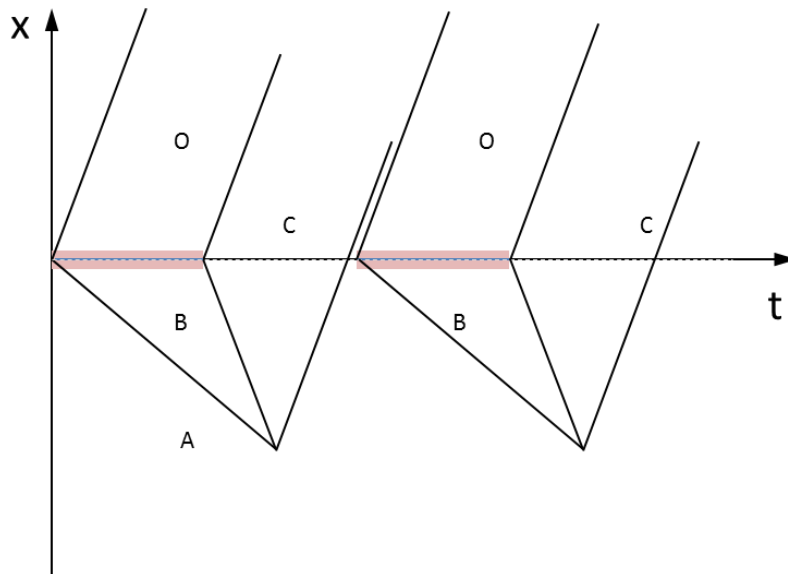
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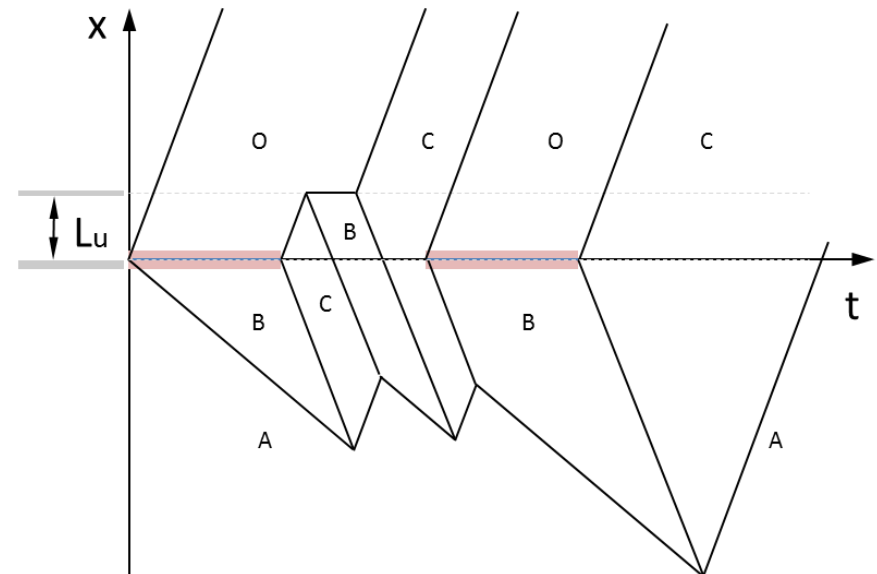
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Without parking



With parking



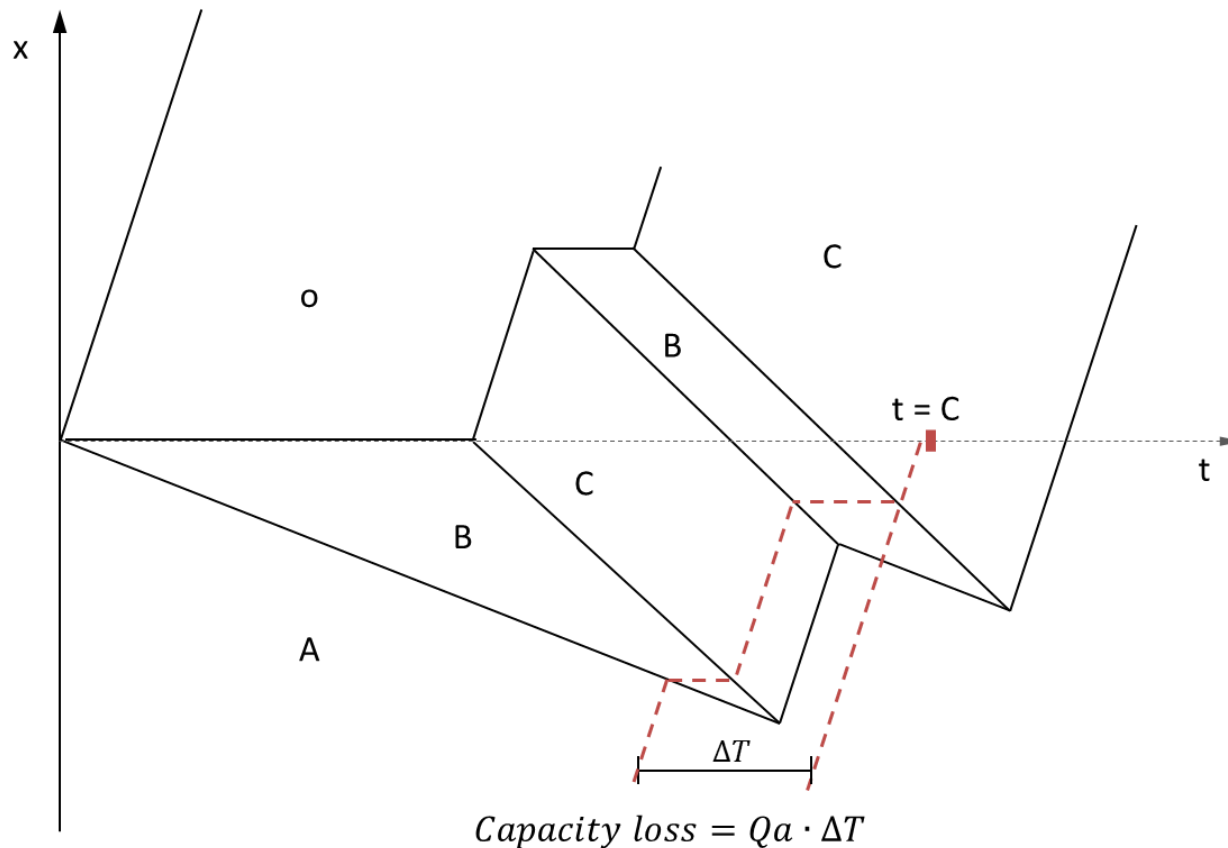
The capacity loss of the intersection

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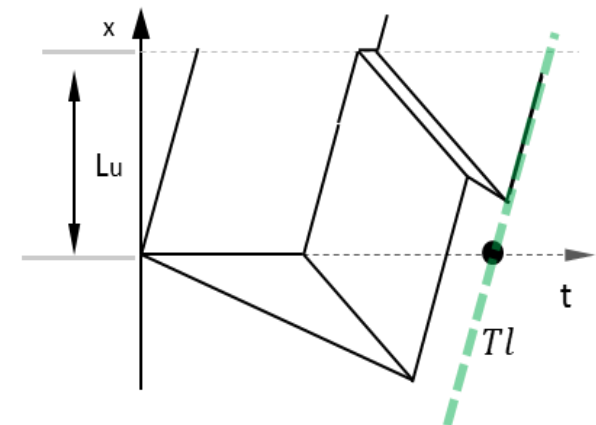
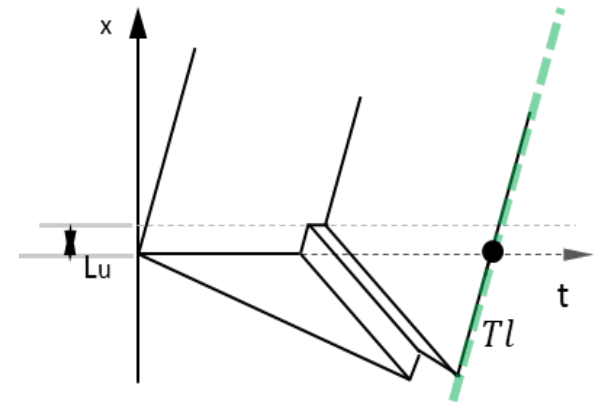
Question 1

Under what condition, L_u becomes influential to the capacity of the intersection?

Tl

The last car to be delayed by the shock wave arrives to the intersection at time Tl .

Figure on the right depicts two time-space diagrams with different values of L_u , but the same value of Tl . Also it can be seen that as long as $C > Tl$, no capacity loss will arise.



Question 1

Introduction

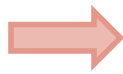
Model

Conclusions

Under what condition, L_u becomes influential to the capacity of the intersection?

The basis to generate a capacity loss:

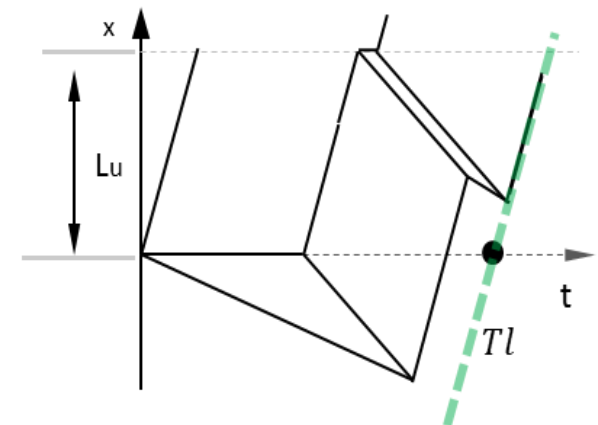
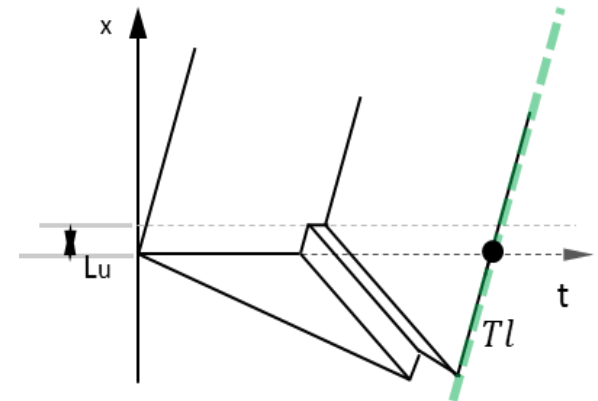
$$Tl > C$$



$$\delta > \alpha - \beta$$

$$\frac{P}{C} > \frac{G}{C} - \frac{V_{AB} \cdot (V_{BC} - V_f)}{V_{BC} \cdot (V_{AB} - V_f)}$$

If this condition is satisfied, L_u becomes influential to the capacity of the intersection



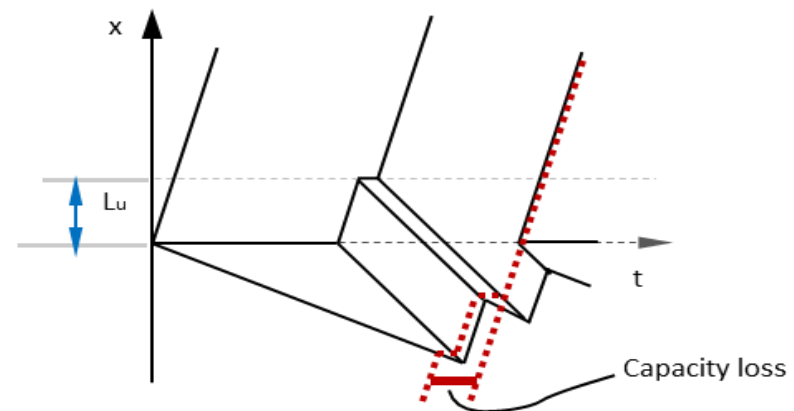
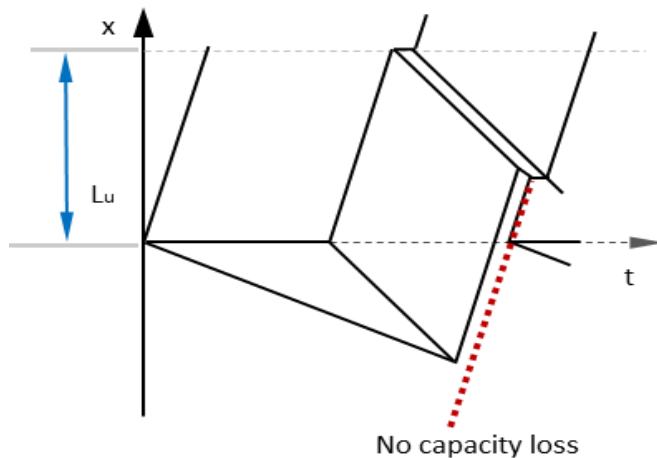
Question 2

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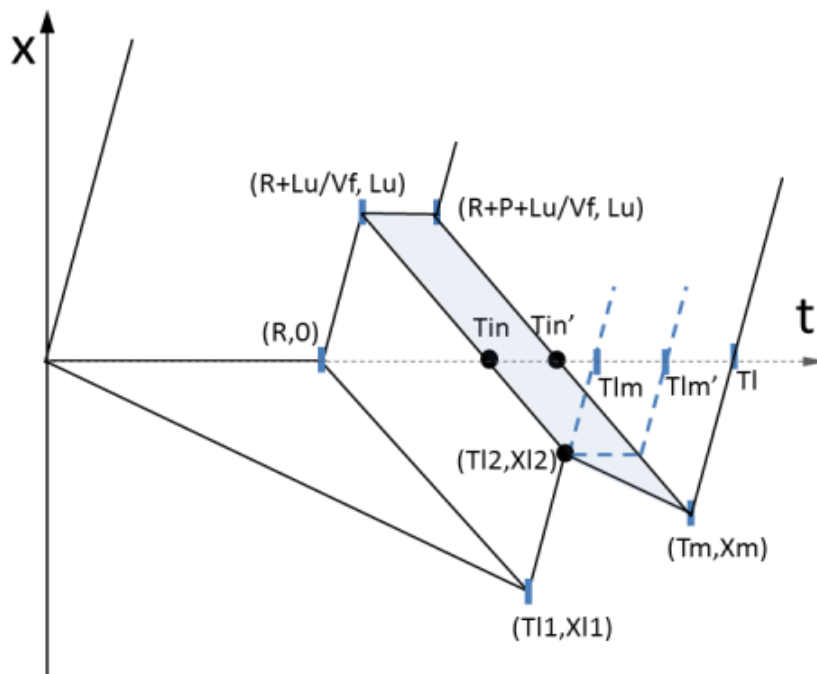
- What is the minimum L_u required to guarantee no capacity loss at the intersection?



Two examples are provided in Figures above to show cases in which L_u leads to capacity loss or not. In the left graph, no capacity loss is experienced while a capacity loss is experienced in the right graph, based only on the different values of L_u .

Question 2

- What is the minimum L_u required to guarantee no capacity loss at the intersection?



T_m

The maximum reach of the shock wave caused by parking maneuver.

T_{in}

The back of the queue reaches the intersection at time T_{in} .

A capacity loss can be generated when those conditions are met

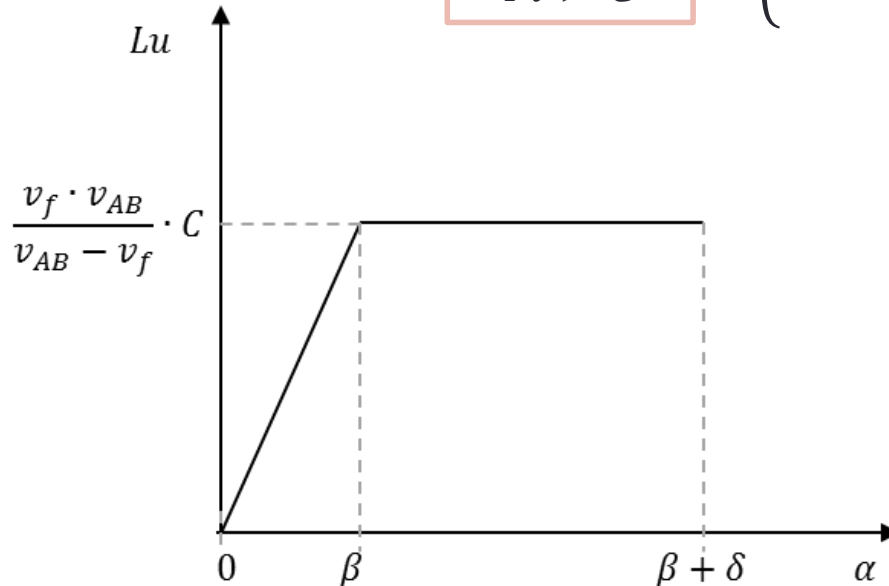
$$\begin{cases} X_m < 0 \\ T_{in} < C \end{cases}$$

Also $T_l > C$ as discussed

Question 2

- What is the minimum Lu required to guarantee no capacity loss at the intersection?

$$\begin{cases} X_m < 0 \\ T_{in} < C \\ T_l > C \end{cases} \begin{cases} Lu < \frac{v_f \cdot v_{BC}}{v_{BC} - v_f} \cdot C \cdot \alpha & \text{if } \alpha \in [0, \beta] \\ Lu < \frac{v_f \cdot v_{AB}}{v_{AB} - v_f} \cdot C & \text{if } \alpha \in [\beta, \beta + \delta] \end{cases}$$



Numerical Example

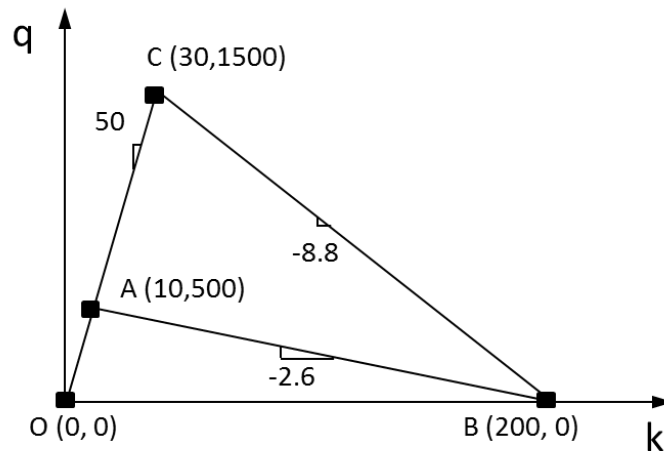
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- The minimum Lu required to guarantee no capacity loss at the intersection

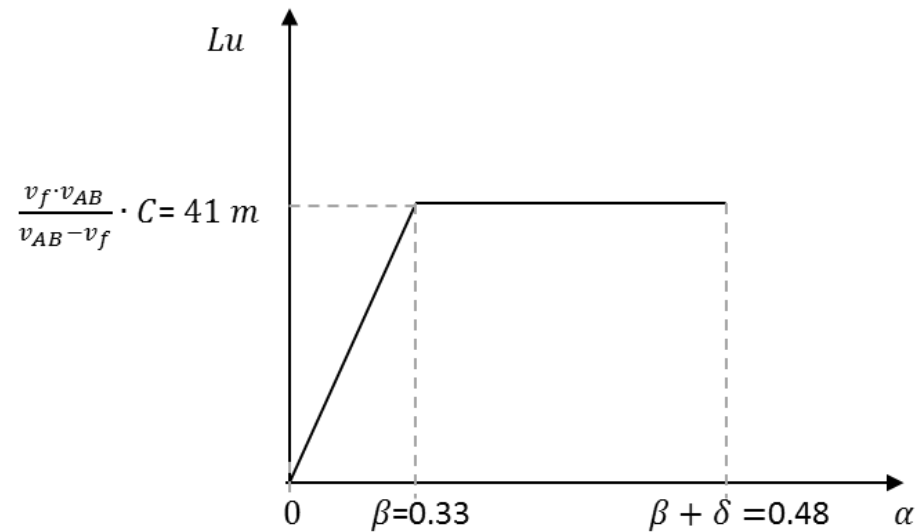
Traffic conditions:



Signal control: $C = 60s$

Parking: $P = 9s$, $\delta = 0.15$

Results:



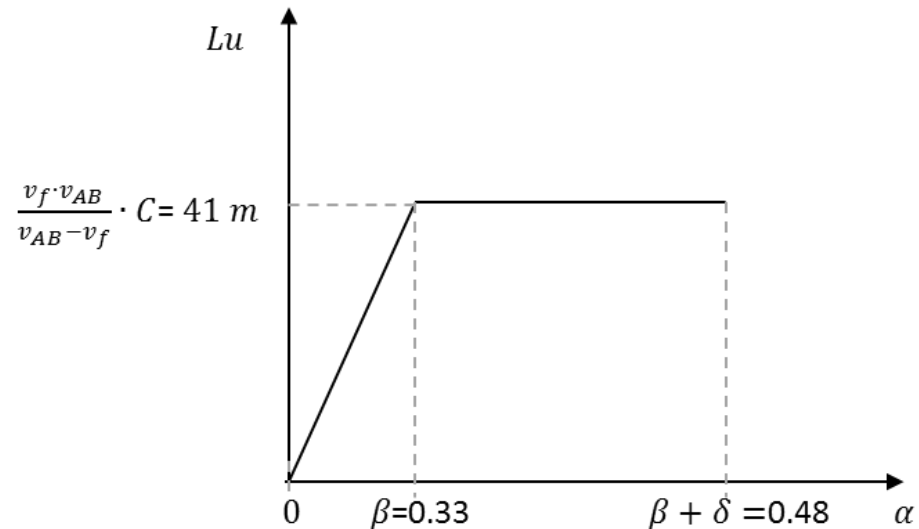
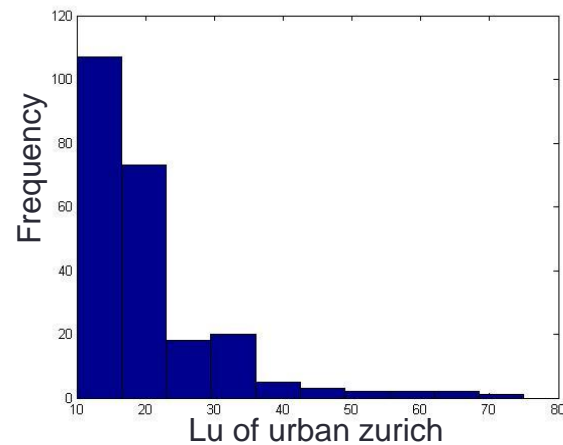
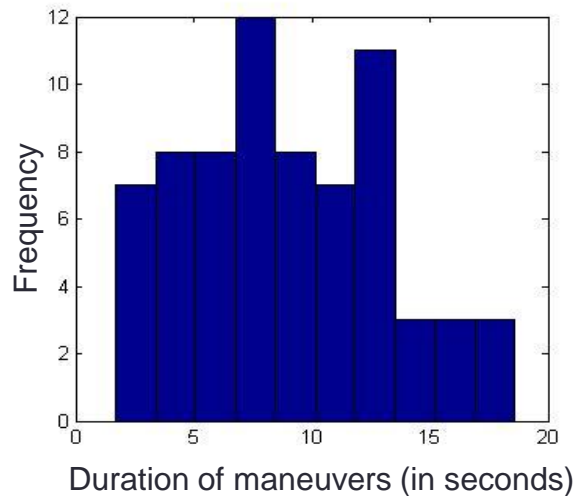
Numerical Example

SVT

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Compare the result and data from City Zurich:

If the traffic assumption suits real situation in urban zürich, then one can tell that, the distance set in reality is quite short that there will be a capacity loss in most cases when parking maneuver happens there.

Question 3

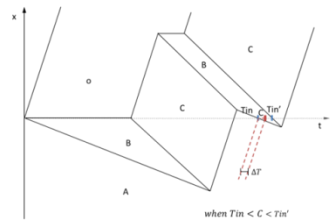
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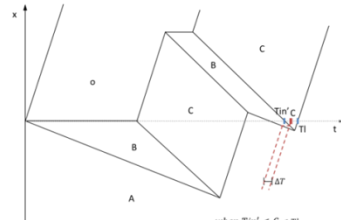
Conclusions

- What is the corresponding capacity loss according to Lu?

A. When $X_m < 0, X_{l2} > 0, T_{in} < C < T_l$

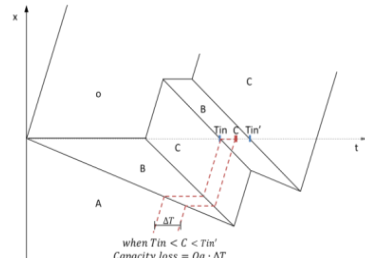


when $T_{in} < C < T_{in}'$
Capacity loss = $Q_a \cdot \Delta T = Q_a \cdot (C - T_{in})$

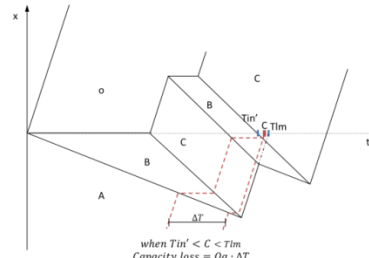


when $T_{in}' < C < T_l$
Capacity loss = $Q_a \cdot \Delta T = Q_a \cdot (C - T_{in})$

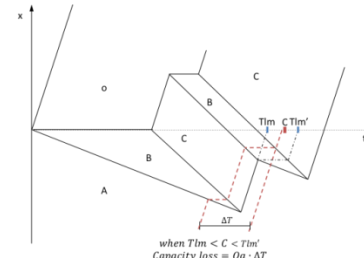
B1. When $X_m < 0, X_{l2} < 0, T_{in} < C < T_l, T_{in}' < T_{lm}$



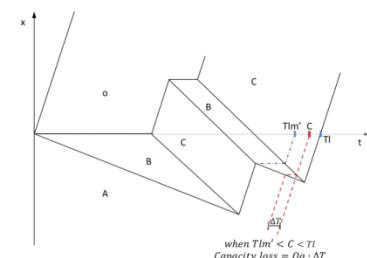
when $T_{in} < C < T_{in}'$
Capacity loss = $Q_a \cdot \Delta T$



when $T_{in}' < C < T_{lm}$
Capacity loss = $Q_a \cdot \Delta T$

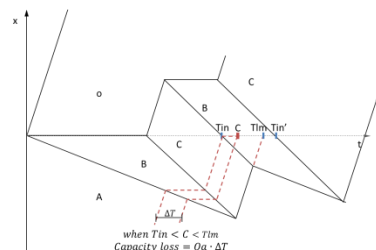


when $T_{lm} < C < T_{in}'$
Capacity loss = $Q_a \cdot \Delta T$

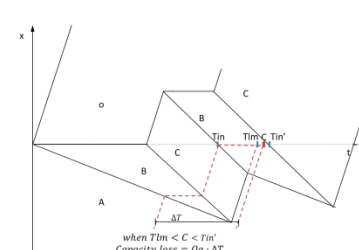


when $T_{lm}' < C < T_l$
Capacity loss = $Q_a \cdot \Delta T$

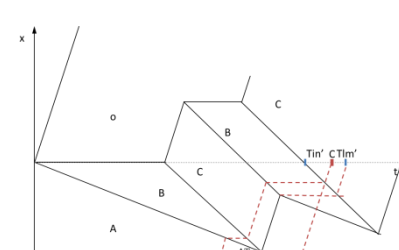
B2. When $X_m < 0, X_{l2} < 0, T_{in} < C < T_l, T_{lm} < T_{in}'$



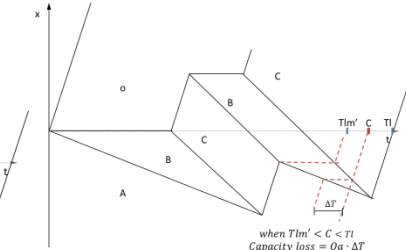
when $T_{in} < C < T_{lm}$
Capacity loss = $Q_a \cdot \Delta T$



when $T_{lm} < C < T_{in}'$
Capacity loss = $Q_a \cdot \Delta T$



when $T_{in}' < C < T_{lm}'$
Capacity loss = $Q_a \cdot \Delta T$



when $T_{lm}' < C < T_l$
Capacity loss = $Q_a \cdot \Delta T$

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- Till now, we have obtained the minimum distance of Lu to guarantee no capacity loss of the upstream intersection (based on traffic and signal, etc. conditions). One is able to make suggestions to the on-street parking design project.
- Further work will focus on the value of capacity loss, based on Lu, and the simulation of parking maneuver and its impact on traffic in a local network (instead of a single link).

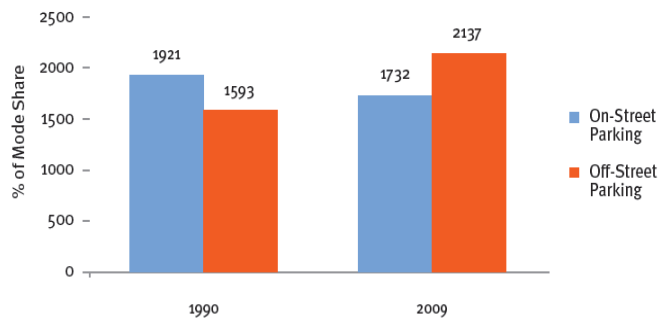
DANKE

On-street parking in Zurich

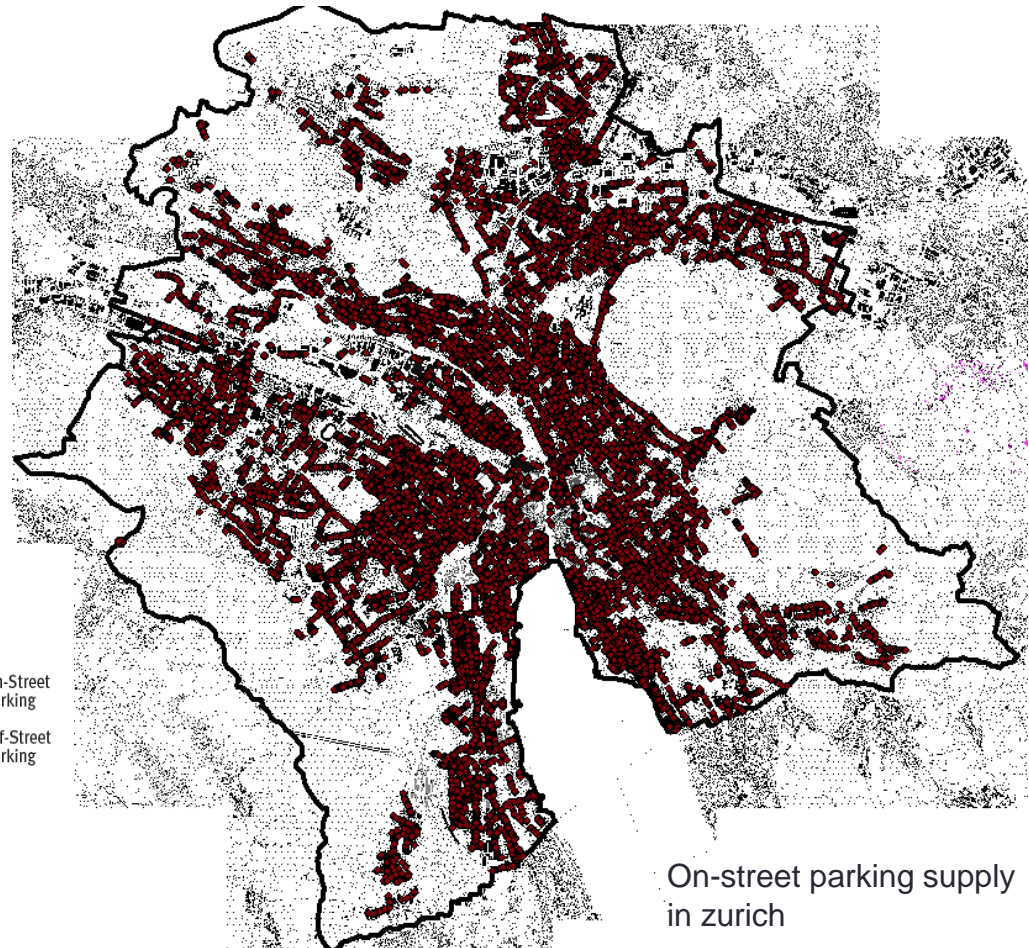
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Introduction

- There are nearly 270,000 total parking spaces in the city, 220,000 are located on private land, approximately 50,000 on public land and about 15,000 private spaces are publicly accessible.
- During 1990-2009, the on street parking (only kreis 1) have been decreased by 200 stalls.



Parking supply in kreis 1 (1990 & 2009)



On-street parking supply in zürich

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- Example in zurich



Unparking car block traffic