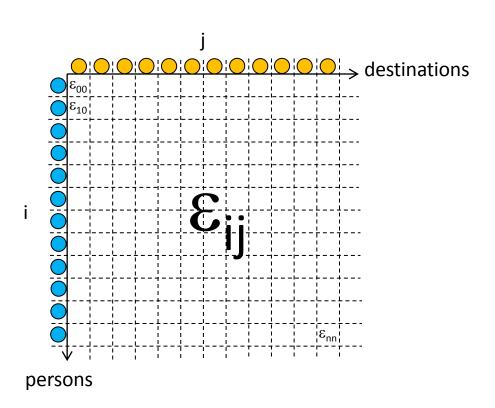
#### 12-1988: High-Resolution Destination Choice in Agent-Based Demand Models

A. Horni K. Nagel

K.W. Axhausen

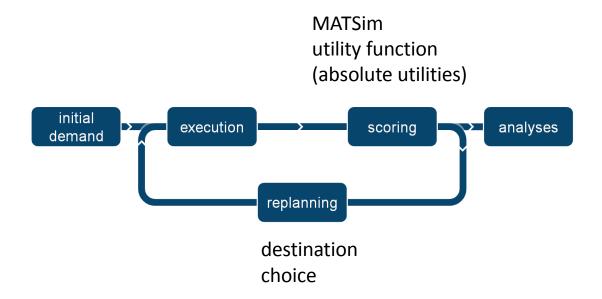




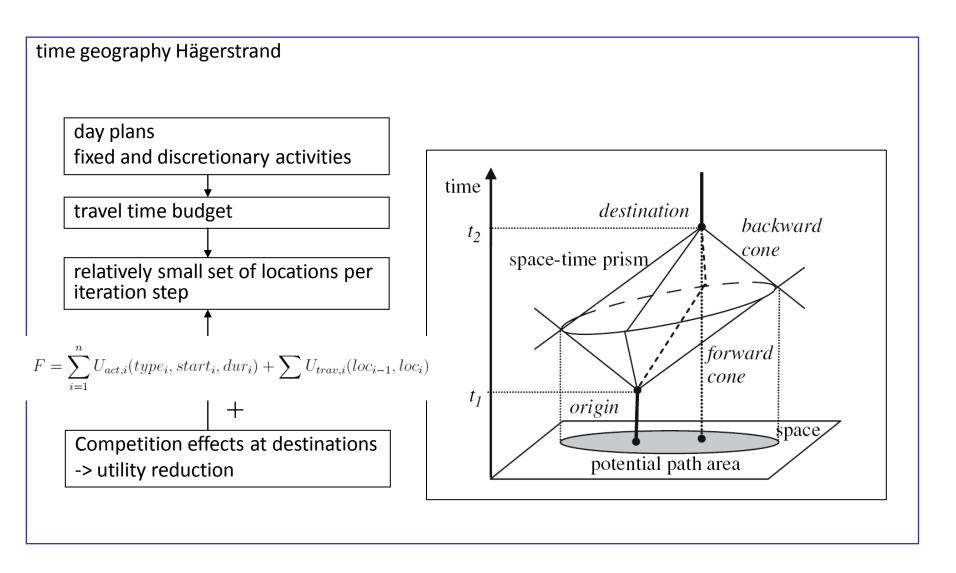


## MATSim Shopping and Leisure Destination Choice

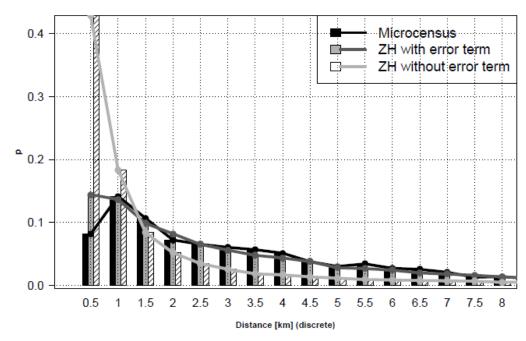
Multi-Agent Transport Simulation MATSim



#### Earlier MATSim Destination Choice Approach: Local Search



#### **MATSim and Heterogeneity**



$$F = \sum_{i=1}^{n} U_{act,i}(type_i, start_i, dur_i) + \sum_{i=1}^{n} U_{trav,i}(loc_{i-1}, loc_i) + \varepsilon_{explicit}$$

$$V + \varepsilon_{implicit}$$

why not only random coefficients?

$$U = \eta_{distance} \times distance$$
, with  $\eta \sim N(\beta, \sigma_{tastes})$ 

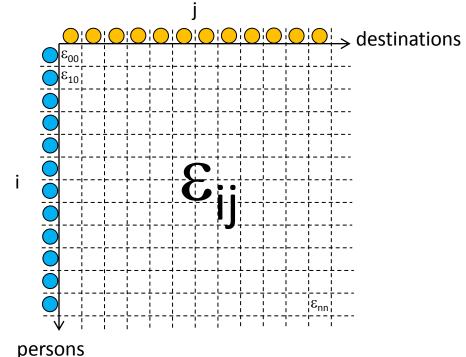
-> bipolar distance distribution due to iterative approach

## A Step Back

Adding heterogeneity: conceptually easy, full compatibility with DCM framework

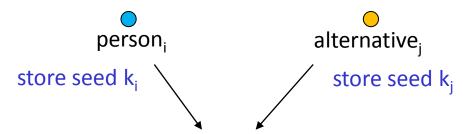
But: technically tricky for large-scale application

# Repeated Draws: Quenched vs. Annealed Randomness



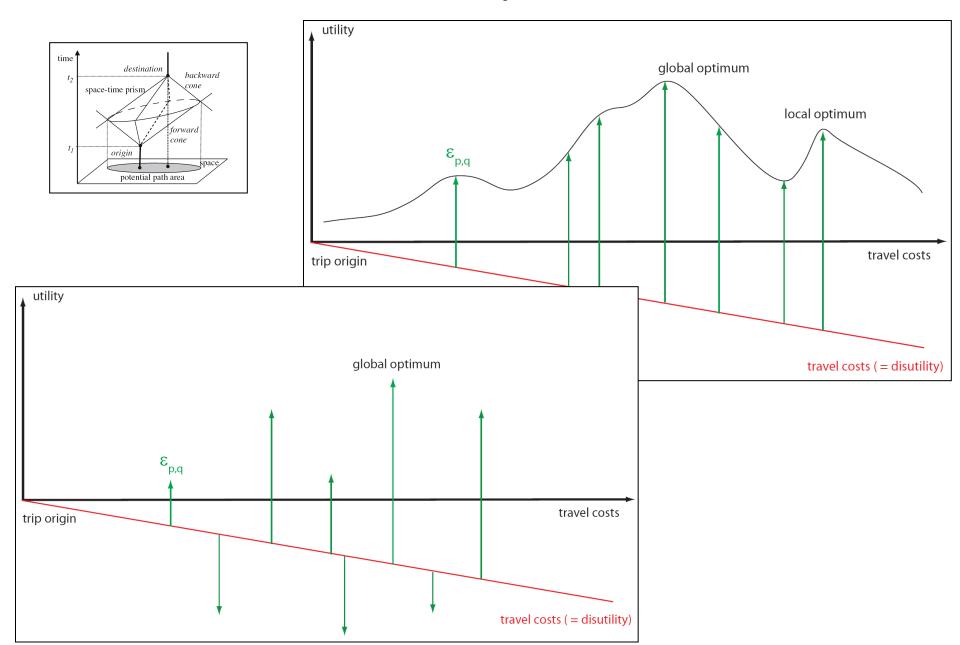
- fixed initial random seed
- freezing the generating order of  $\epsilon_{ij}$  one additional random number can destroy «quench»
- storing all  $\epsilon_{ij}$

 $i,j \sim O(10^6) -> 4 \times 10^{12} Byte (4TByte)$ 

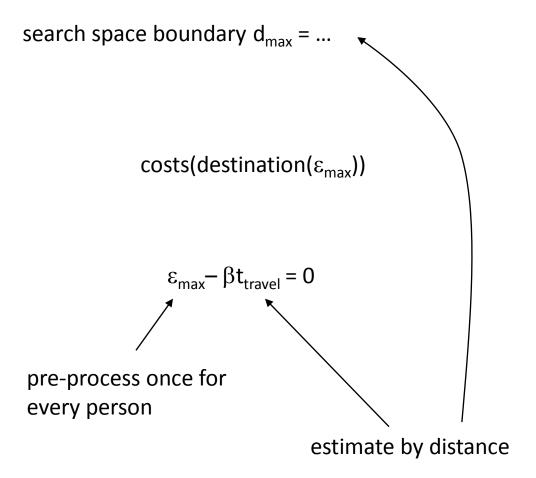


regenerate  $\varepsilon_{ij}$  on the fly with random seed  $f(k_i, k_i)$ 

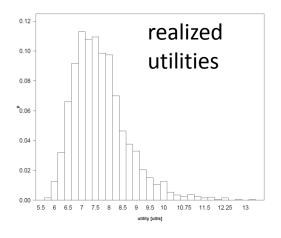
# Search Method: Local vs. Best Response



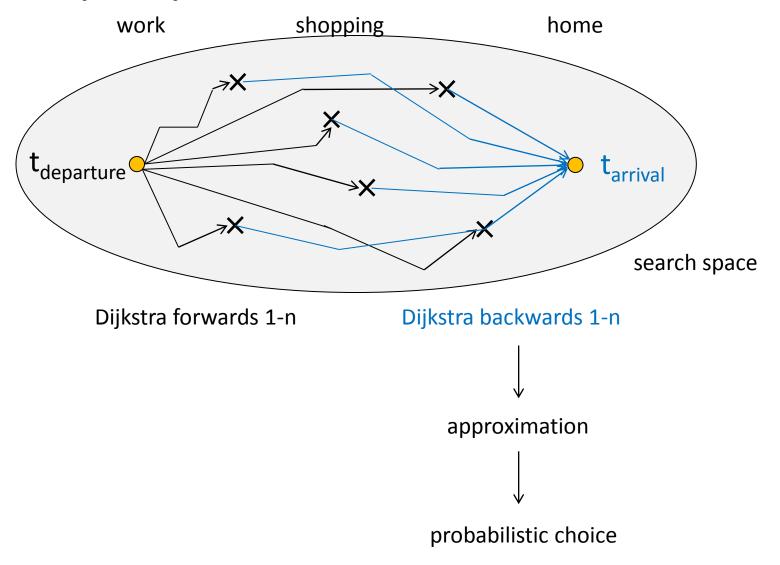
## Search Space Boundary



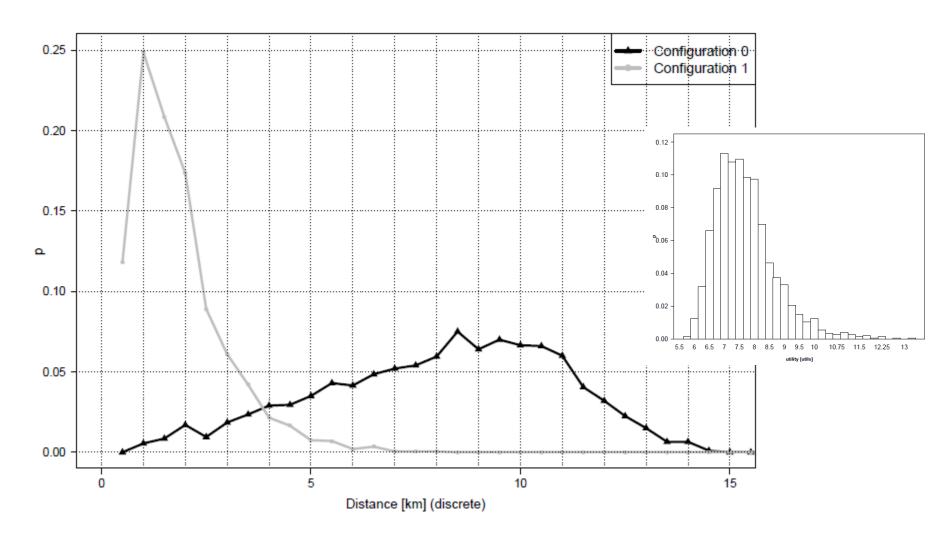




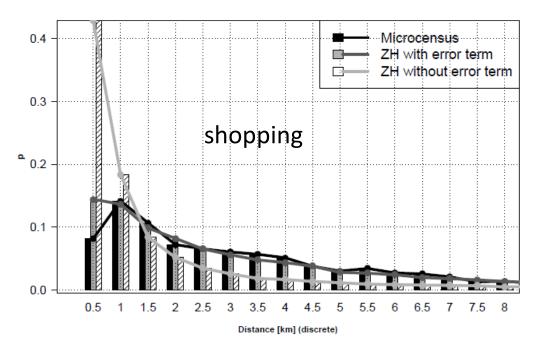
# Search Space Optimum



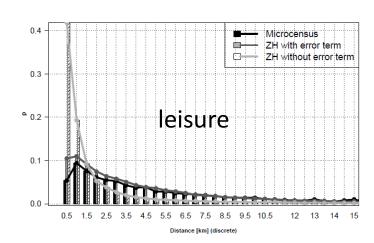
# Results: Synthetic Small-Scale Scenario

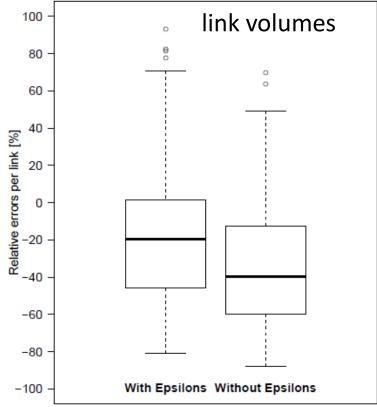


#### Results: 10% Zurich Scenario



70K agents
25min/iteration
100 iterations





#### **Next Steps**

#### utf estimation:

- running survey
- probabilistic choice set generation approaches (-> search space)



Hour

