

Preferred citation style

Bernard, M. and K.W. Axhausen (2007) Design loads for road infrastructures: A new approach, presentation at the *Transport Engineering Seminar*, Technion, Haifa, May 2007.

Design loads for road infrastructures: A new approach

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May 2007

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Context

- PhD dissertation M. Bernard
- Sponsor: ASTRA research funding of VSS projects
- Purpose: Update of current Swiss design load norm

Confusion in application

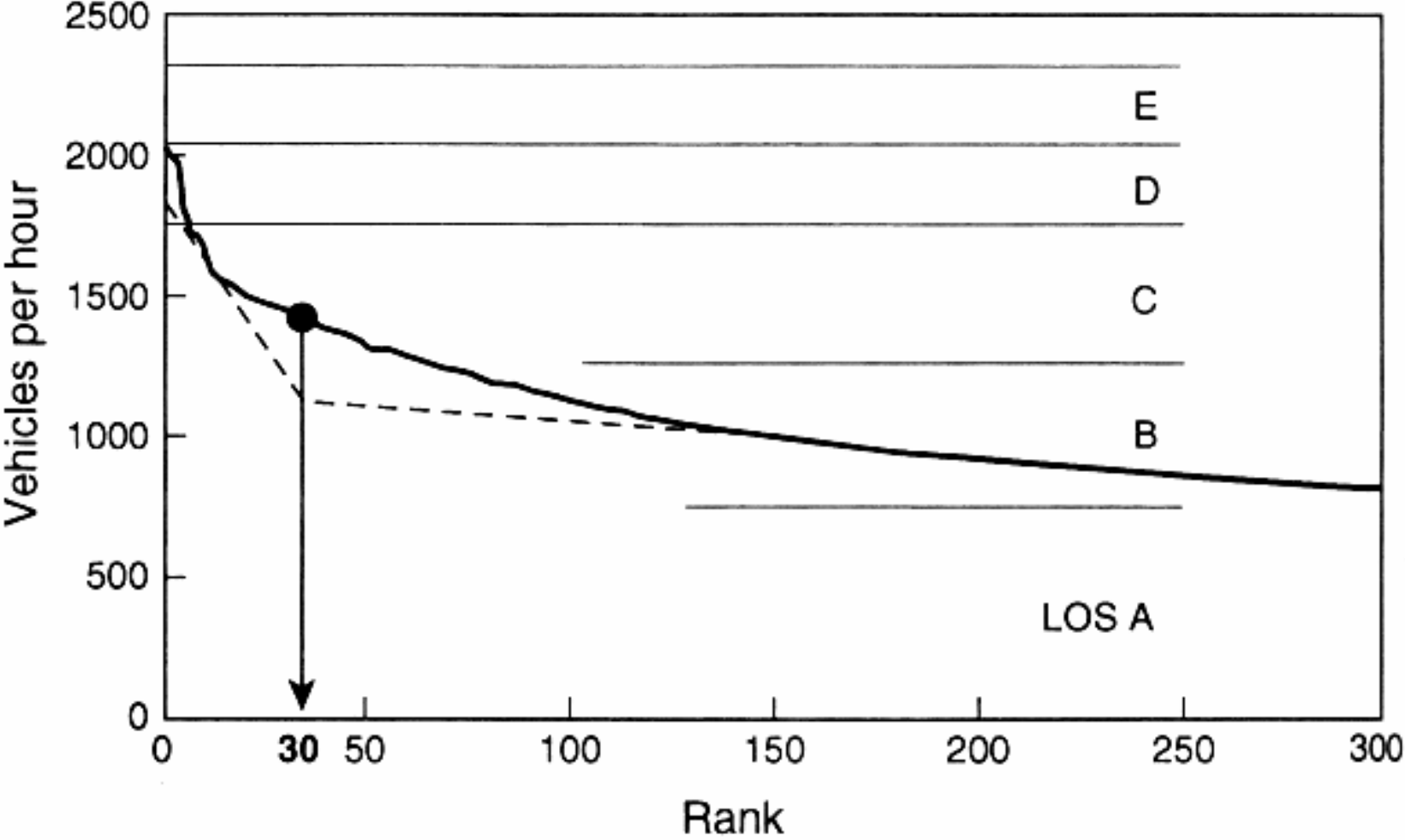
Link (Levels of service):

- n^{th} hour
- AADT (symmetric matrix)
- Average peak hour (asymmetric matrix)

Intersections (waiting time):

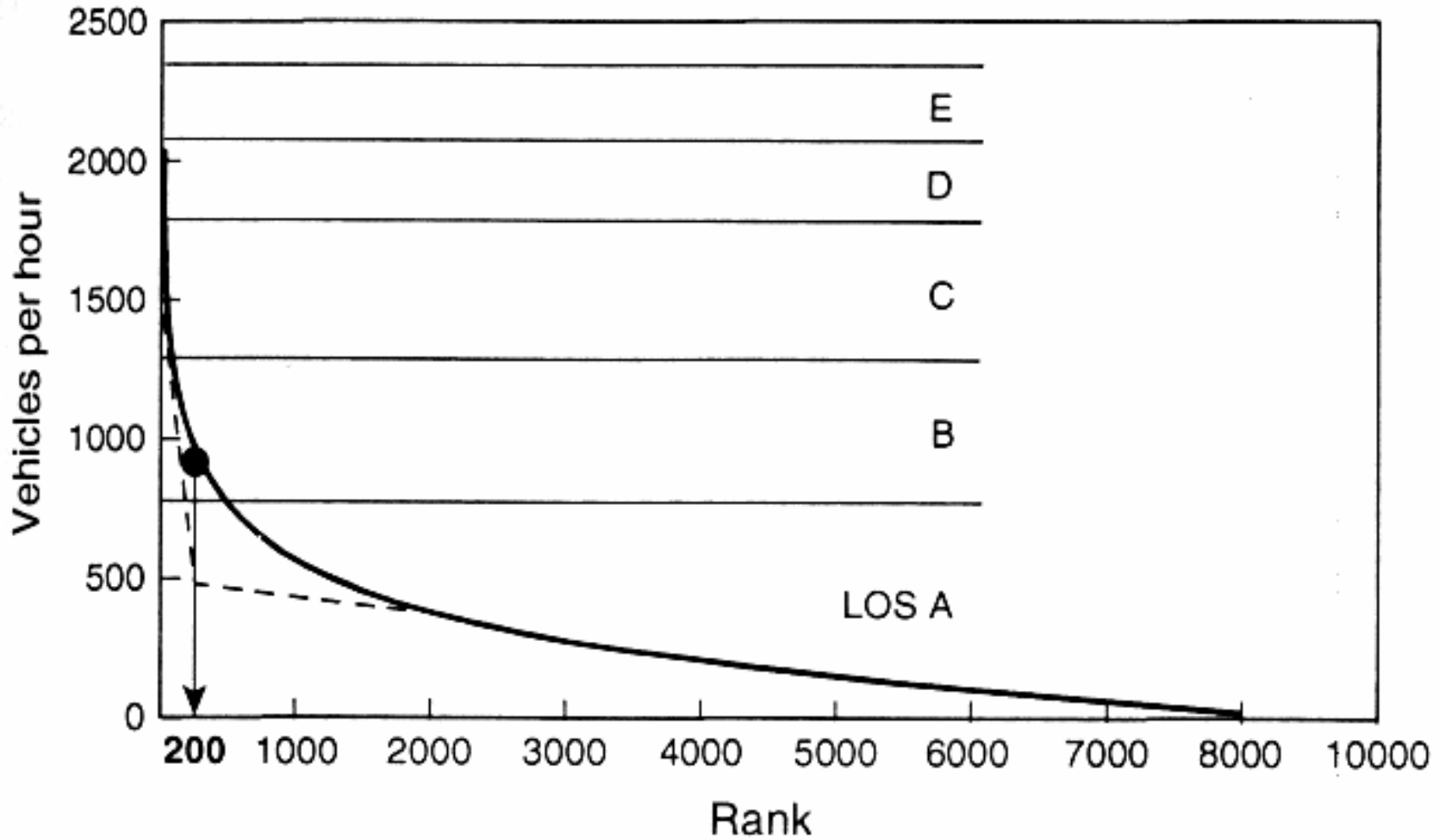
- 4 * peak quarter hour
- 1.2 * peak hour

30th Hour: the original measurements



Hempsey and Tepley (1999)

Why not the 200th hour ? (Canadian measurements)



Ideal approach

Covers:

- Complete demand profile especially peak loads (remember we are dealing with queues !)
- Consistent across all elements of the road system
- Consistent with cost-benefit analysis
- (Reasonably) simple in application

Candidate ?

Concept of

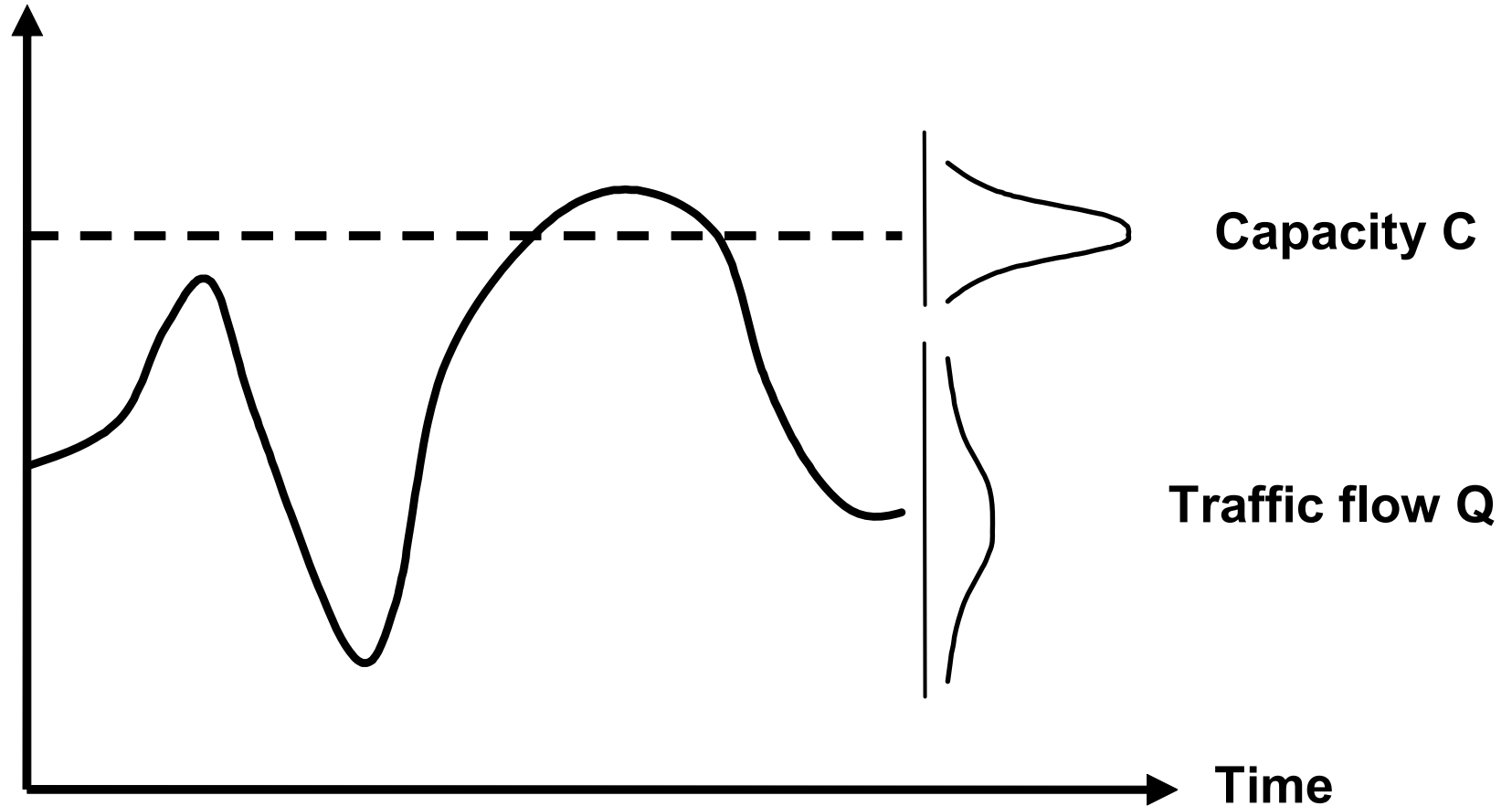
distribution of the instantaneous reserve capacity R

As difference between

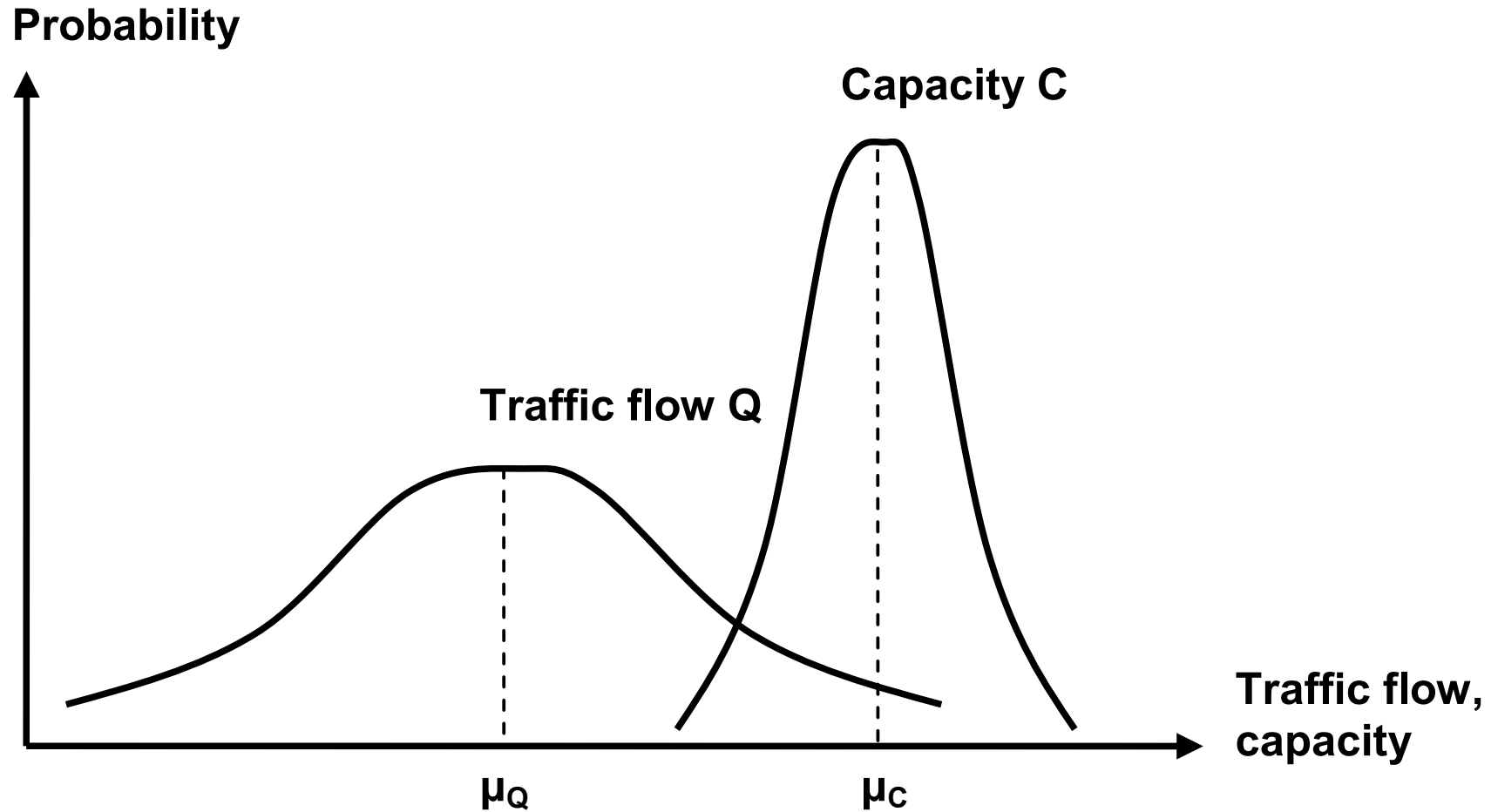
momentarily available capacity C and
current demand Q

Why instantaneous C and Q ?

Traffic flow, capacity (veh/h)



Why randomly distributed C and Q ?



Micro-variance of flow q

Question:

How large is the variance of the flow (5 min intervals) for the hourly values forecast ?

Measurement of the micro-variance

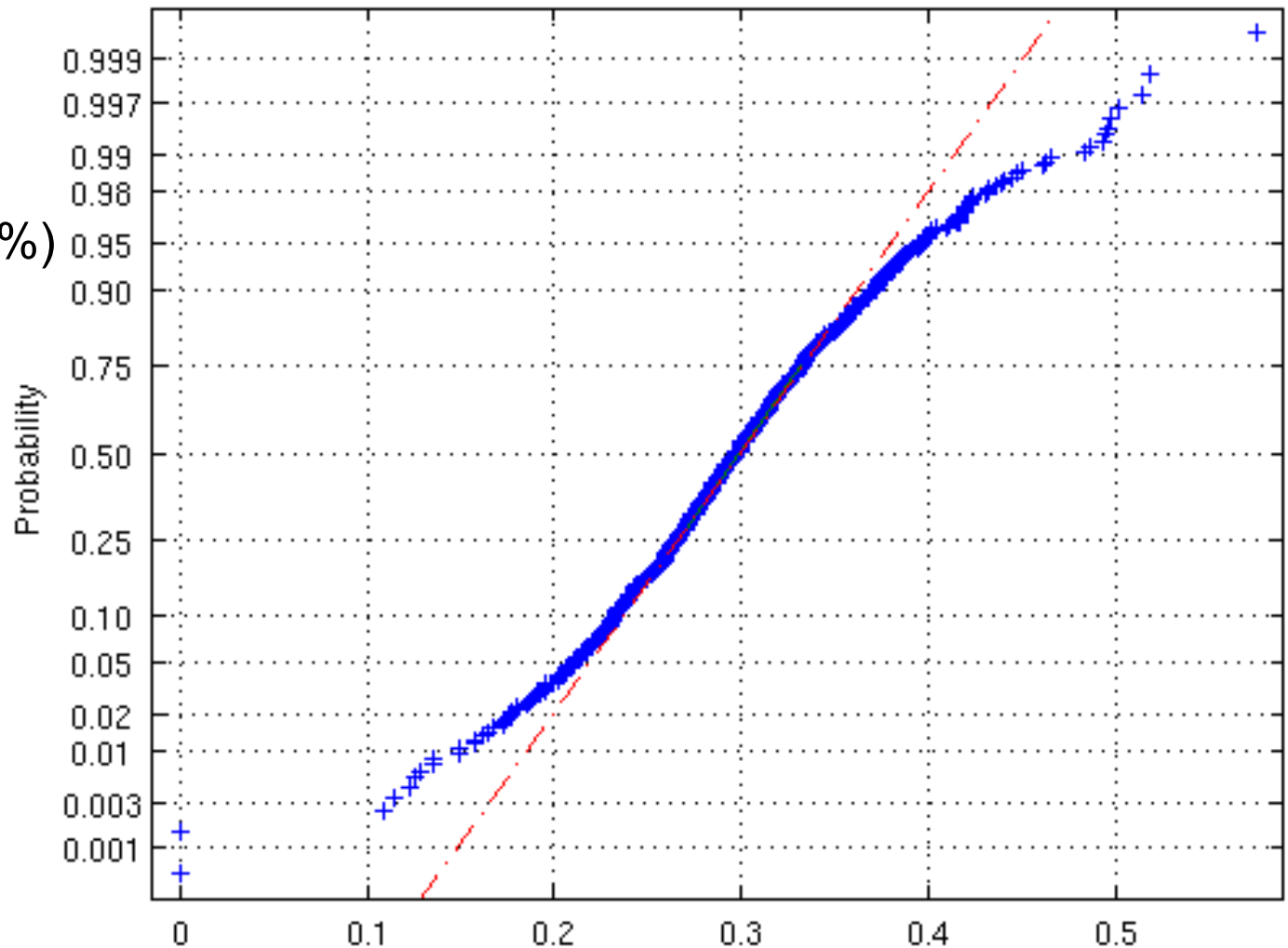
Data:

- 13 Swiss motorway cross-sections
- Between 180'000 and 330'000 5-min intervals
- Standardised relative with the current norm capacities (estimated for each cross-section)

Normal distributed flows given hourly q

$r_{60} = 30\%$

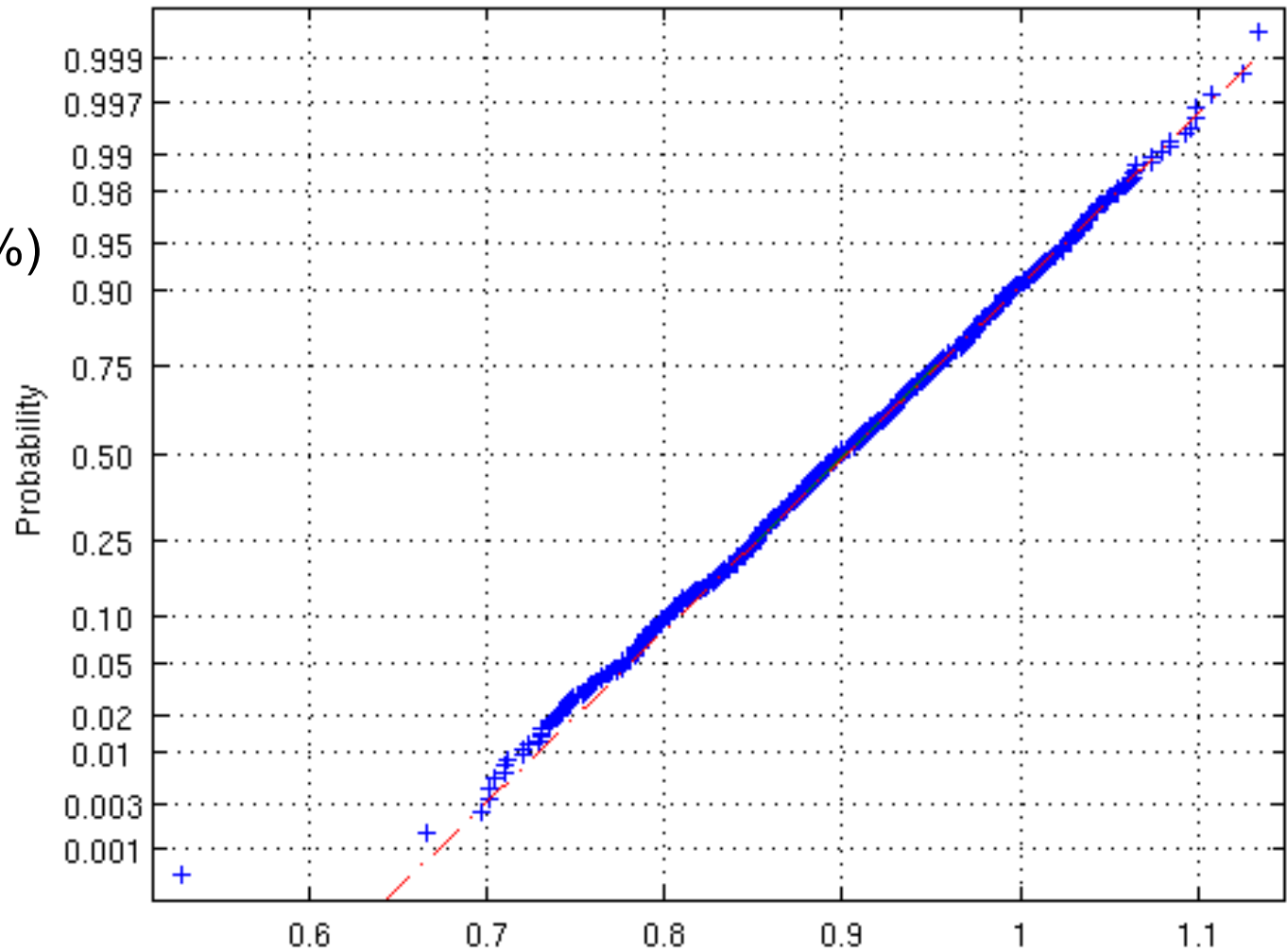
$(\Delta r = 1.25\%)$



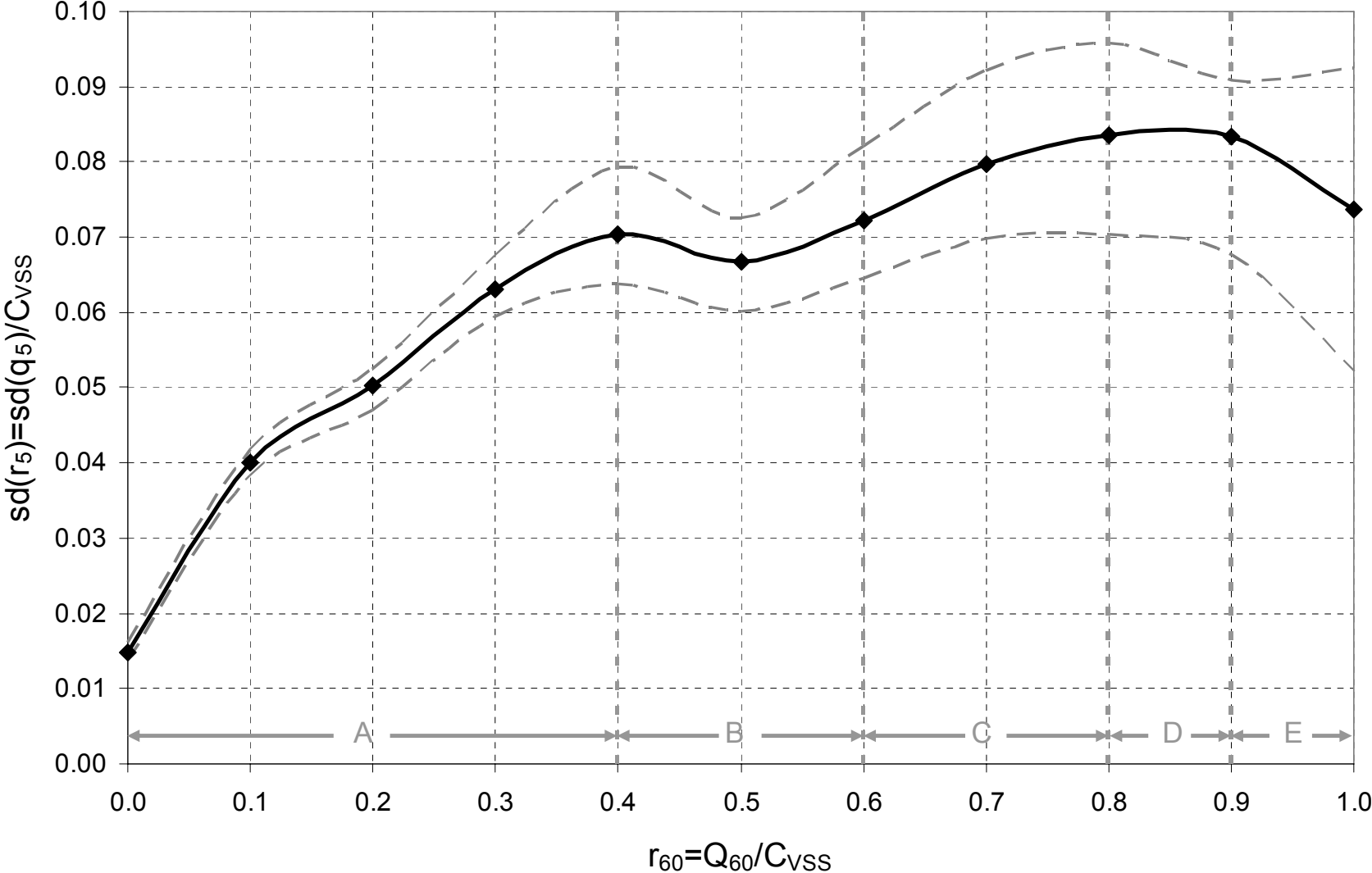
Normal distributed flows given hourly q

$r_{60} = 90\%$

($\Delta r = 1.25\%$)

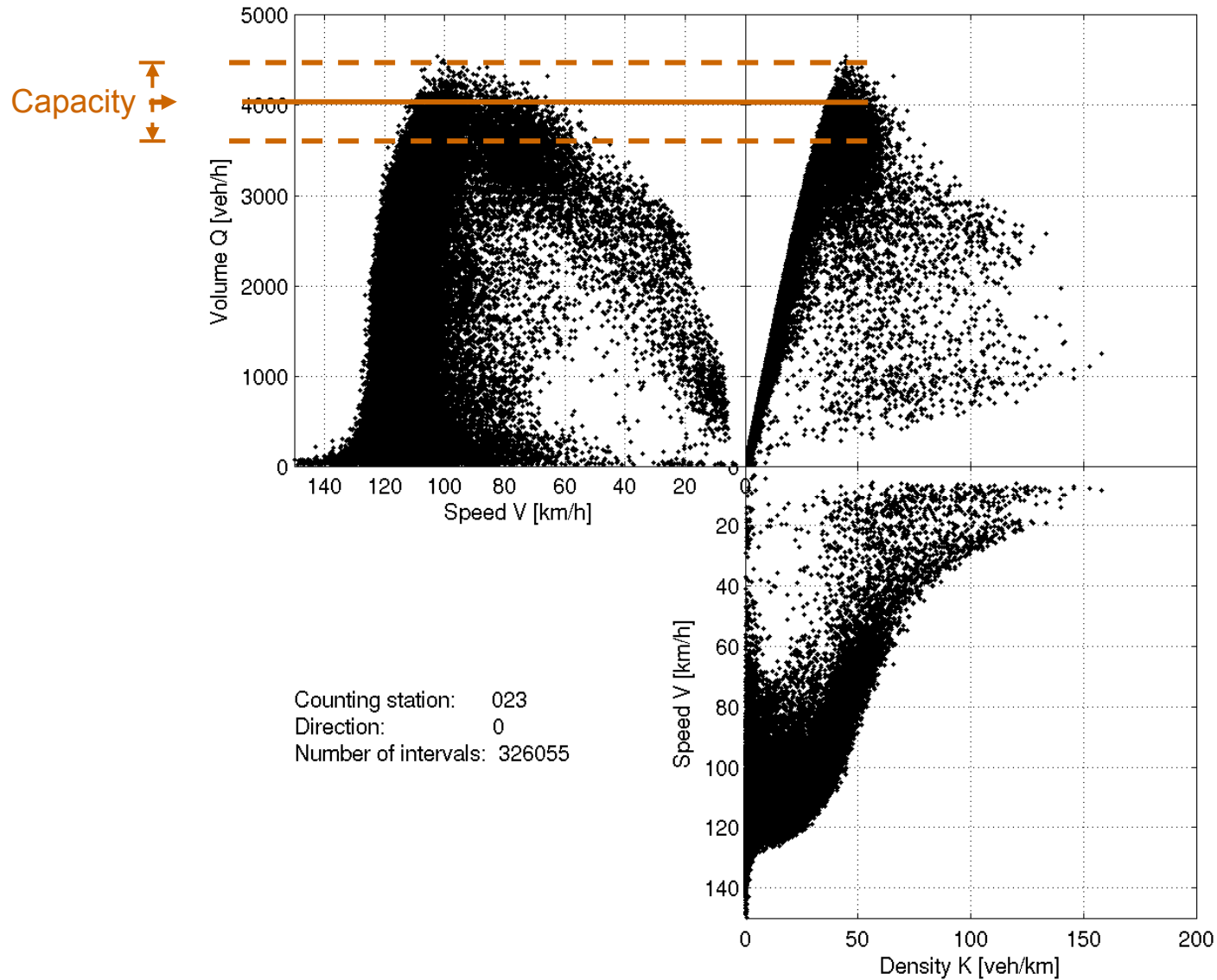


Micro-variance and hourly flows (Norm LOS)

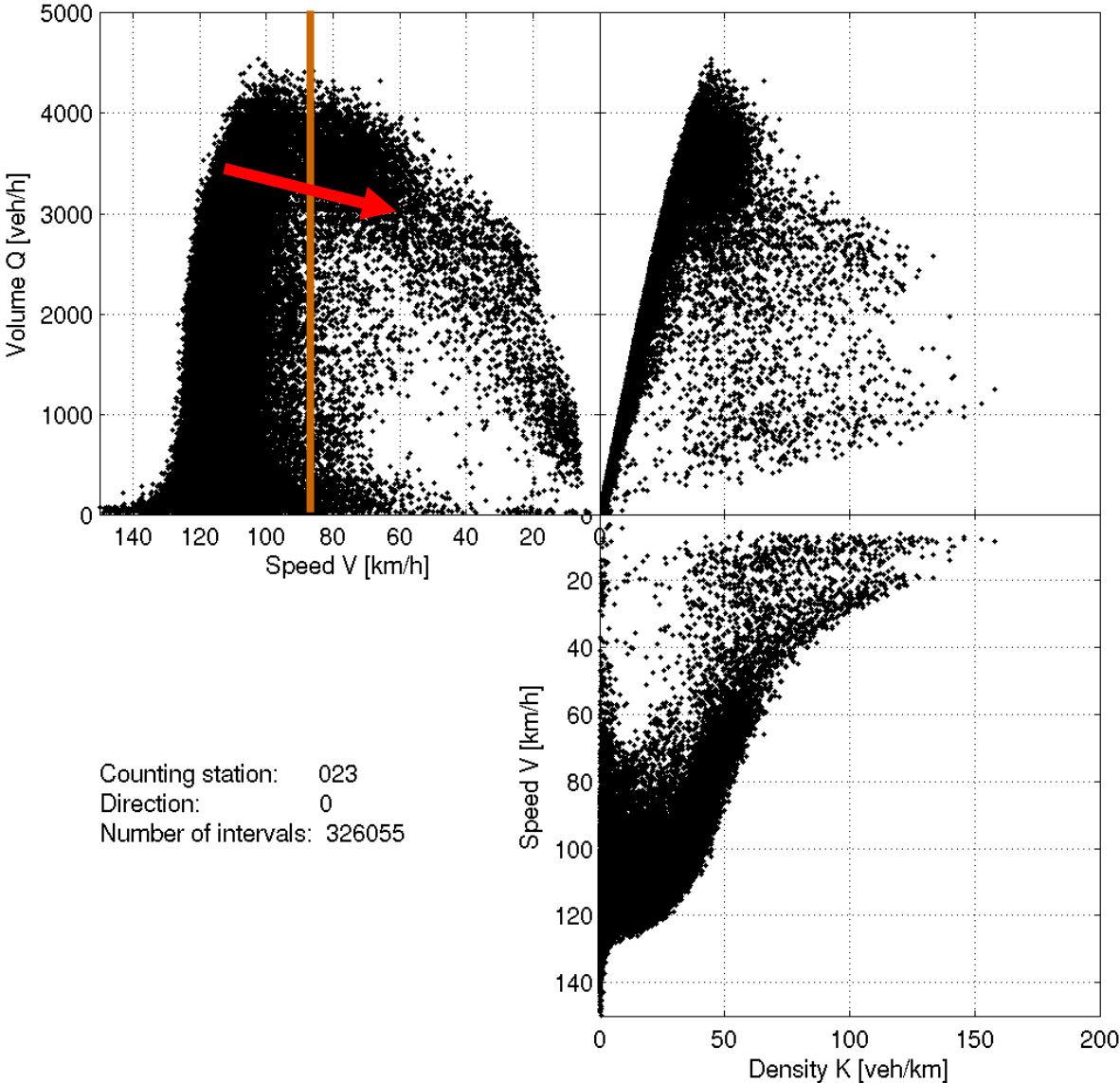


Capacity as a random variable

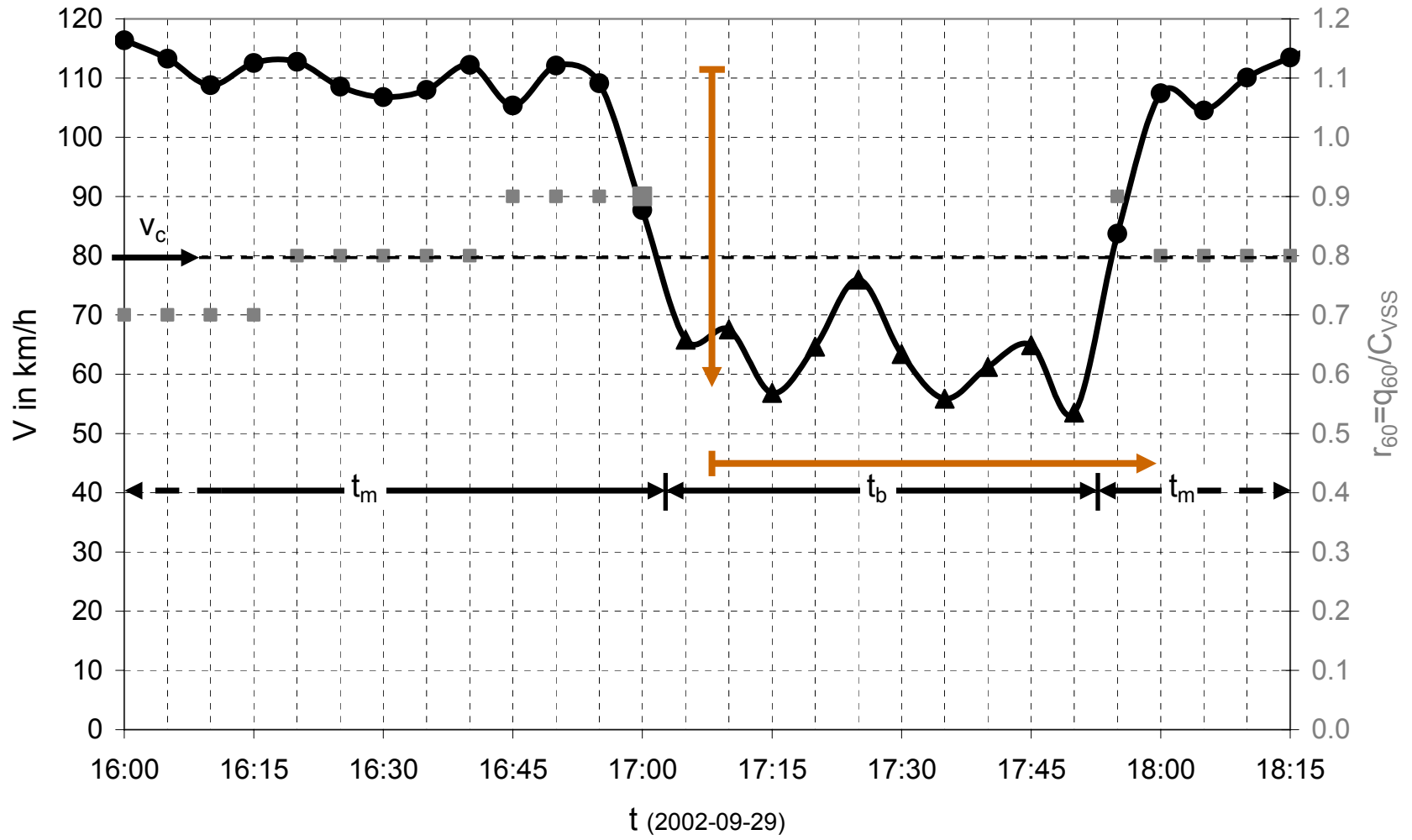
“HCM” - approach



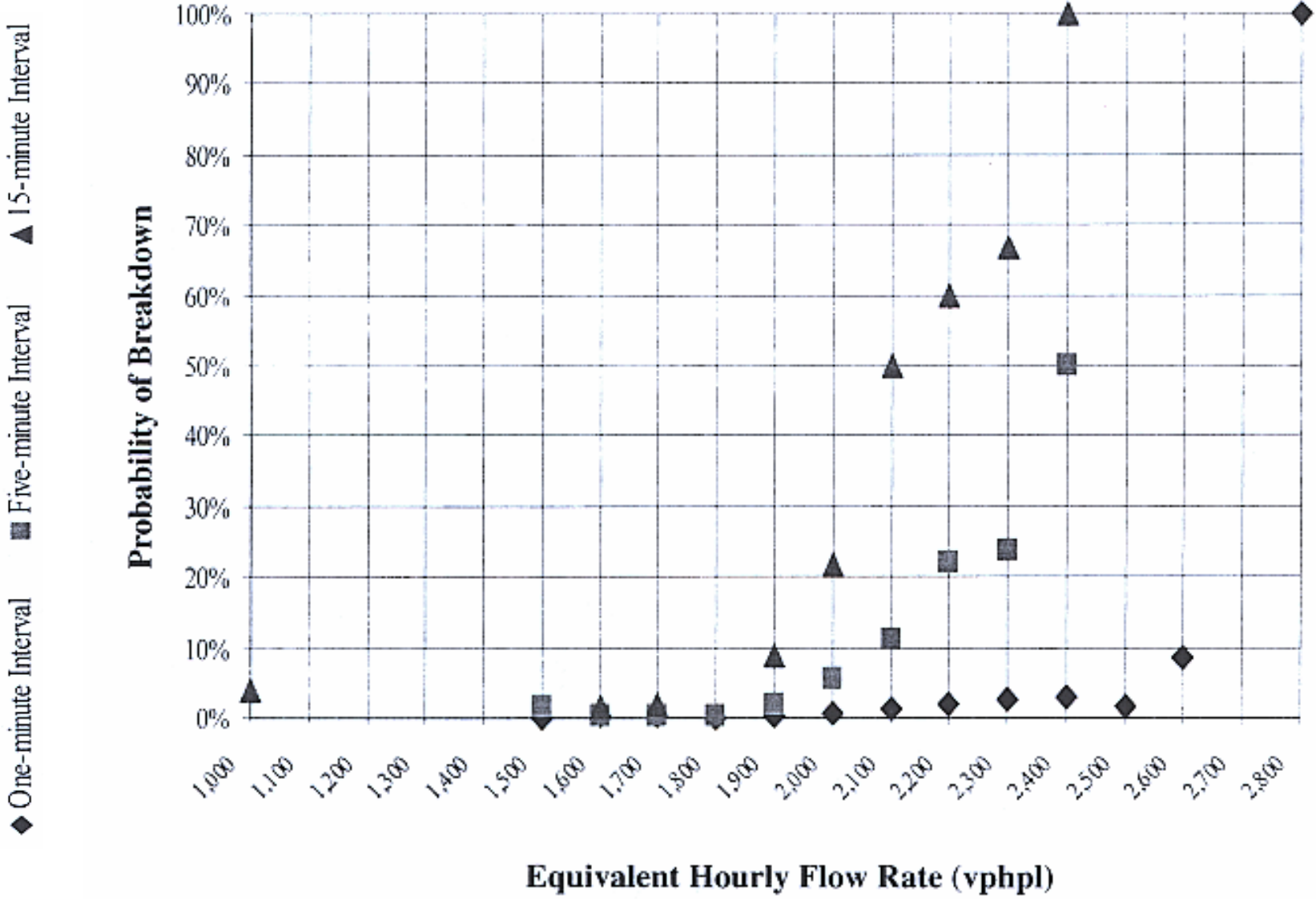
Breakdown as the indicator of capacity



Definitions



Breakdown probabilities and aggregation intervals



Matt and Elefteriadou (2001)

Estimation via reserve capacity R

Assume $C \sim \mathbf{N}(\mu_C, \sigma_C)$ and $Q \sim \mathbf{N}(\mu_Q, \sigma_Q)$

Reserve capacity R is then:

$$R := C - Q$$

from which

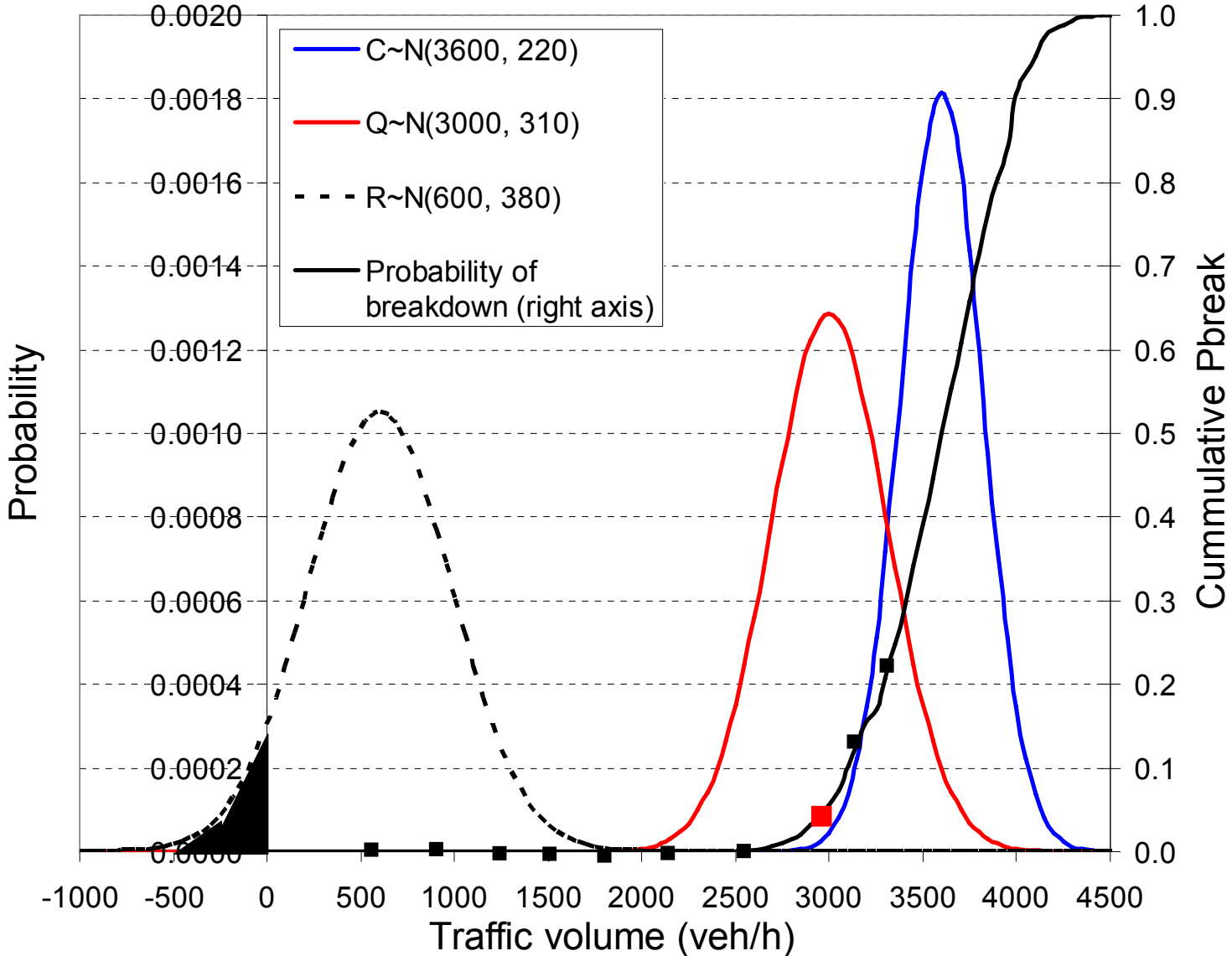
$$P_b = P(C \leq Q) = P(C - Q \leq 0)$$

$$P_b = P(R \leq 0)$$

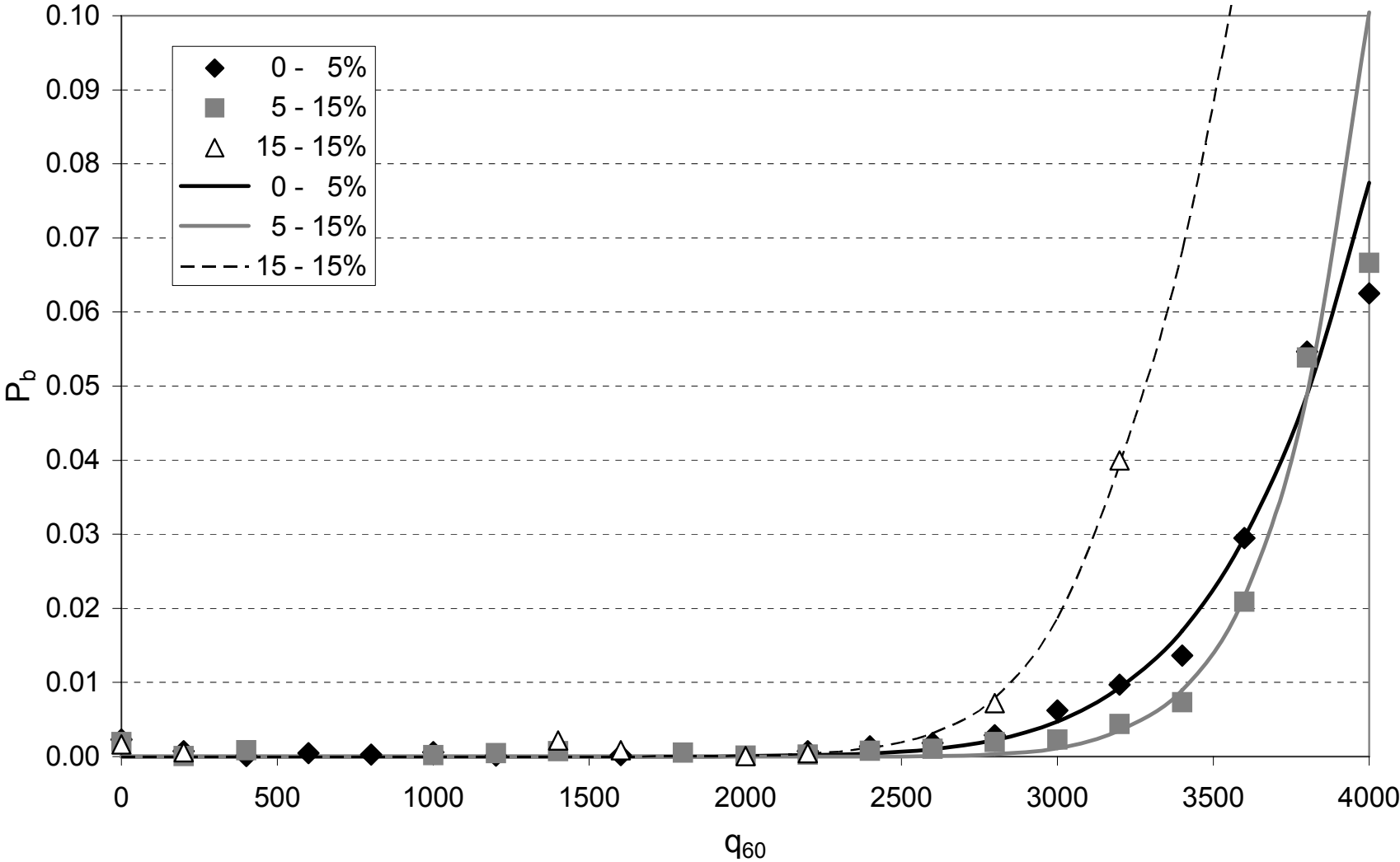
with $R \sim \mathbf{N}(\mu_R, \sigma_R)$

$$\mu_R = \mu_C - \mu_Q \quad \text{and} \quad \sigma_R = \sqrt{\sigma_C^2 + \sigma_Q^2}$$

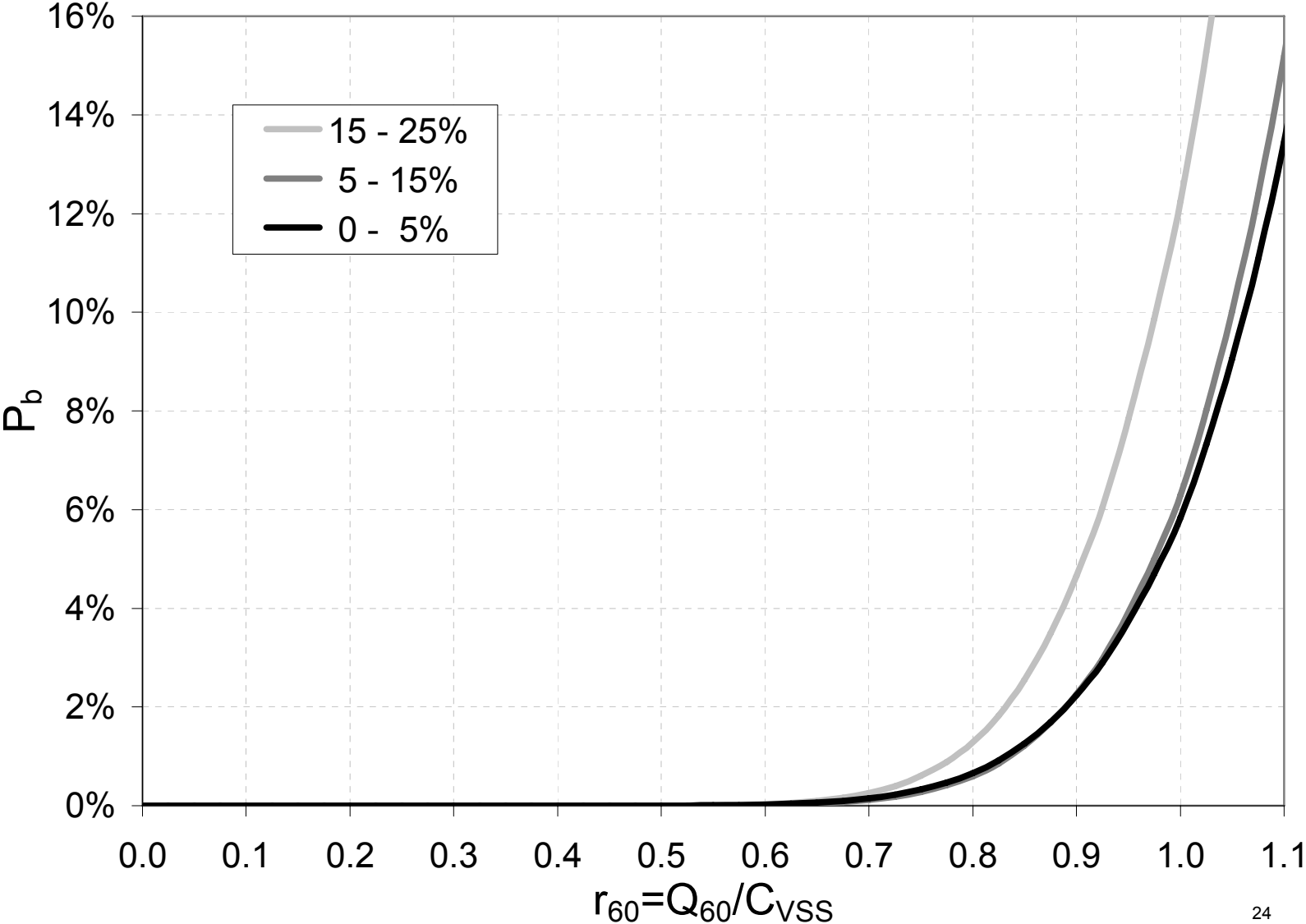
Breakdown probability



Breakdown probability Maatstetten



Breakdown probability as a function of flow Q



Random Capacity relative to C_{VSS}

Heavy Vehicle
percentage

Median of mean
capacities

Median of standard
deviations

0 – 5%

1.327 $C_{VSS,0-5\%}$

0.197 $C_{VSS,0-5\%}$

5 – 15%

1.294 $C_{VSS,0-5\%}$

0.180 $C_{VSS,0-5\%}$

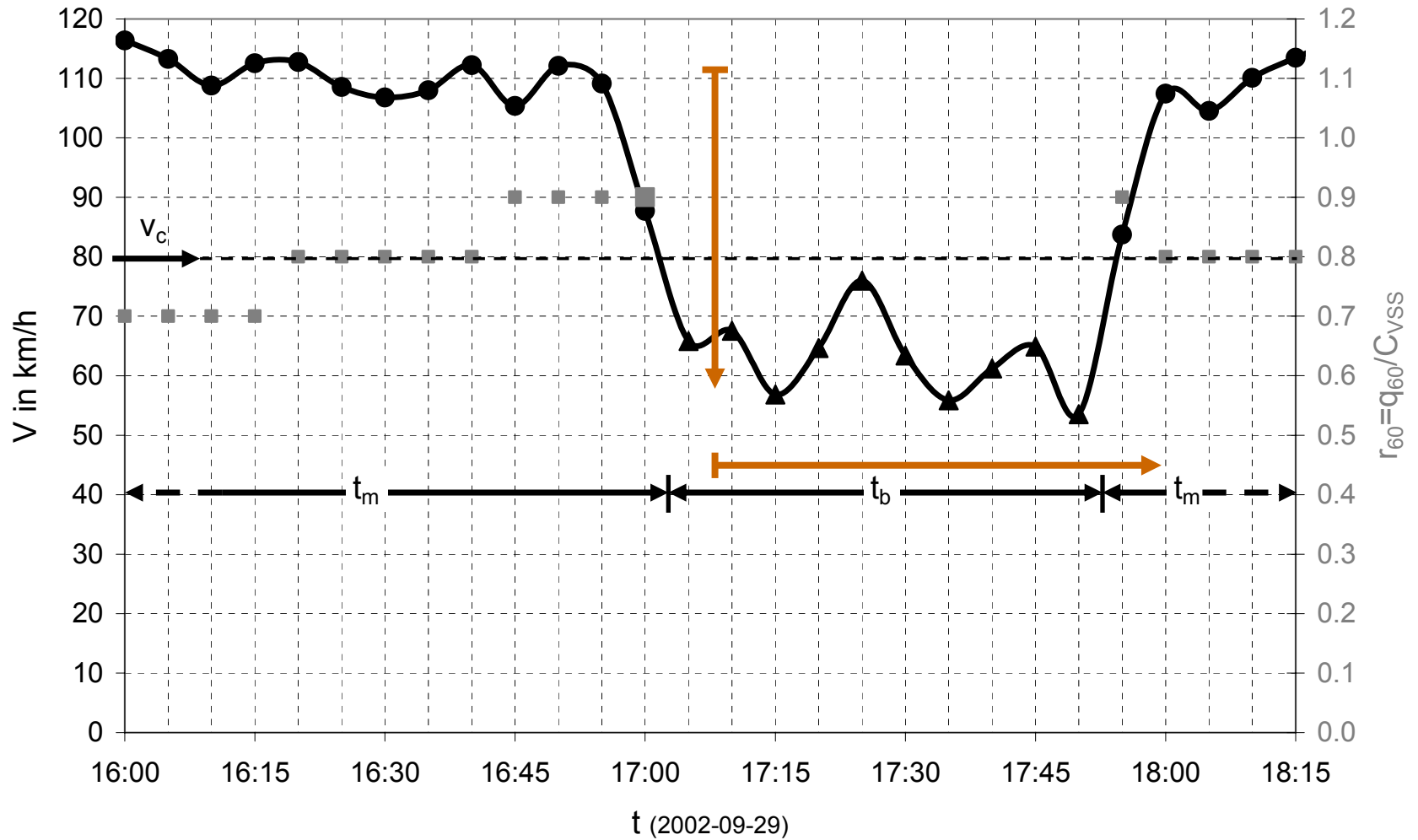
15 – 25%

1.206 $C_{VSS,0-5\%}$

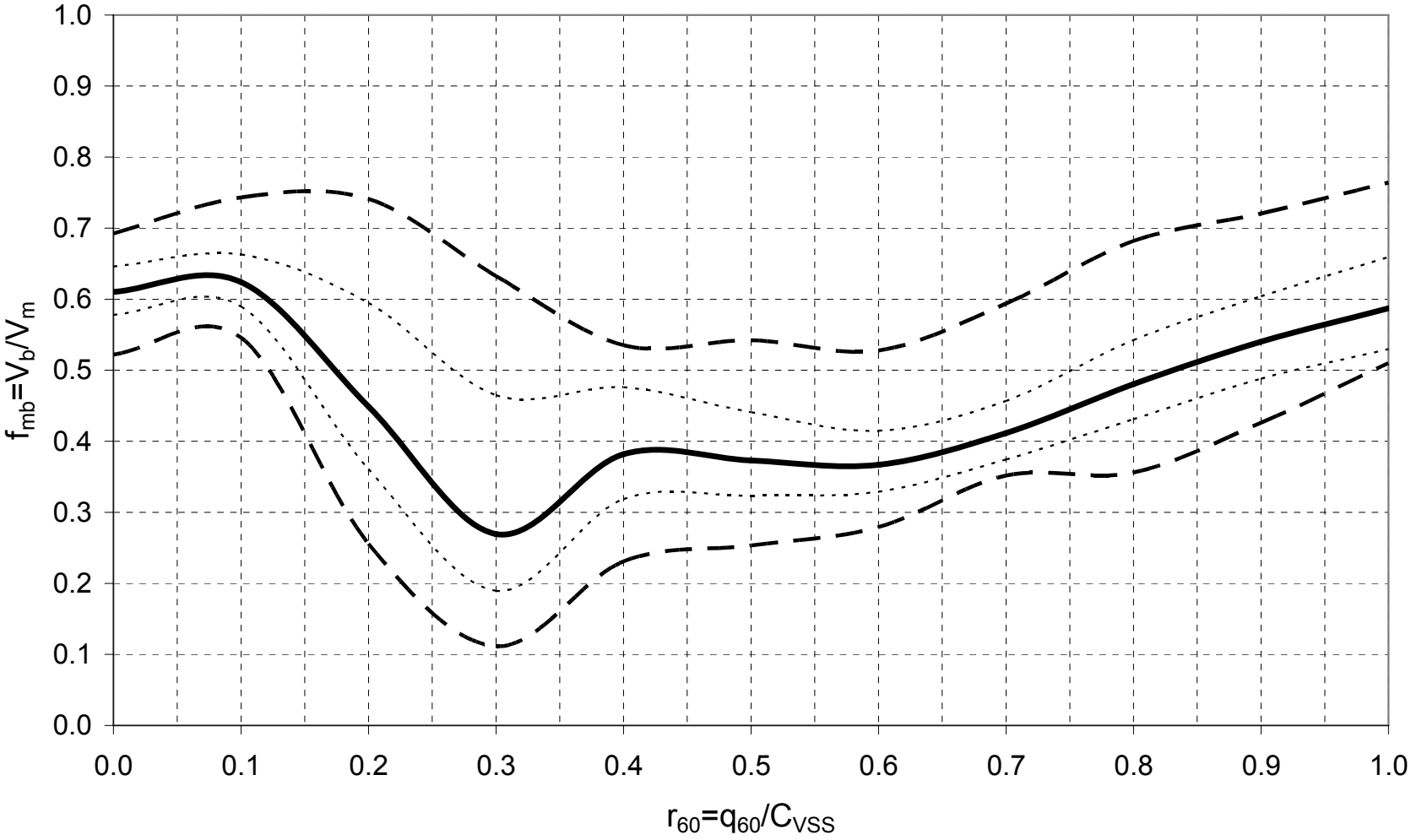
0.164 $C_{VSS,0-5\%}$

Costs of a breakdown

Duration t_b of low speed

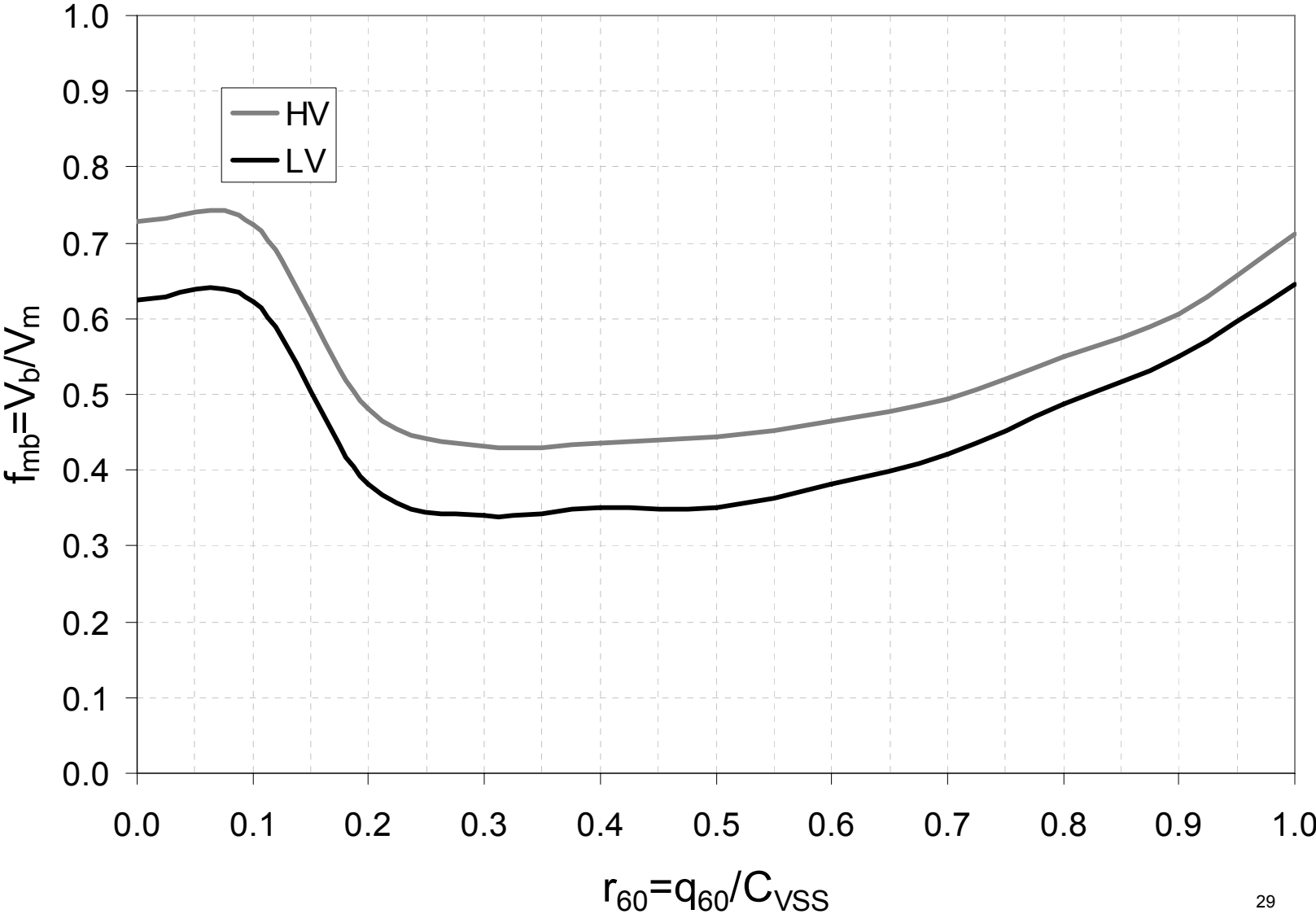


Speed reduction relative to free flow speed v_m

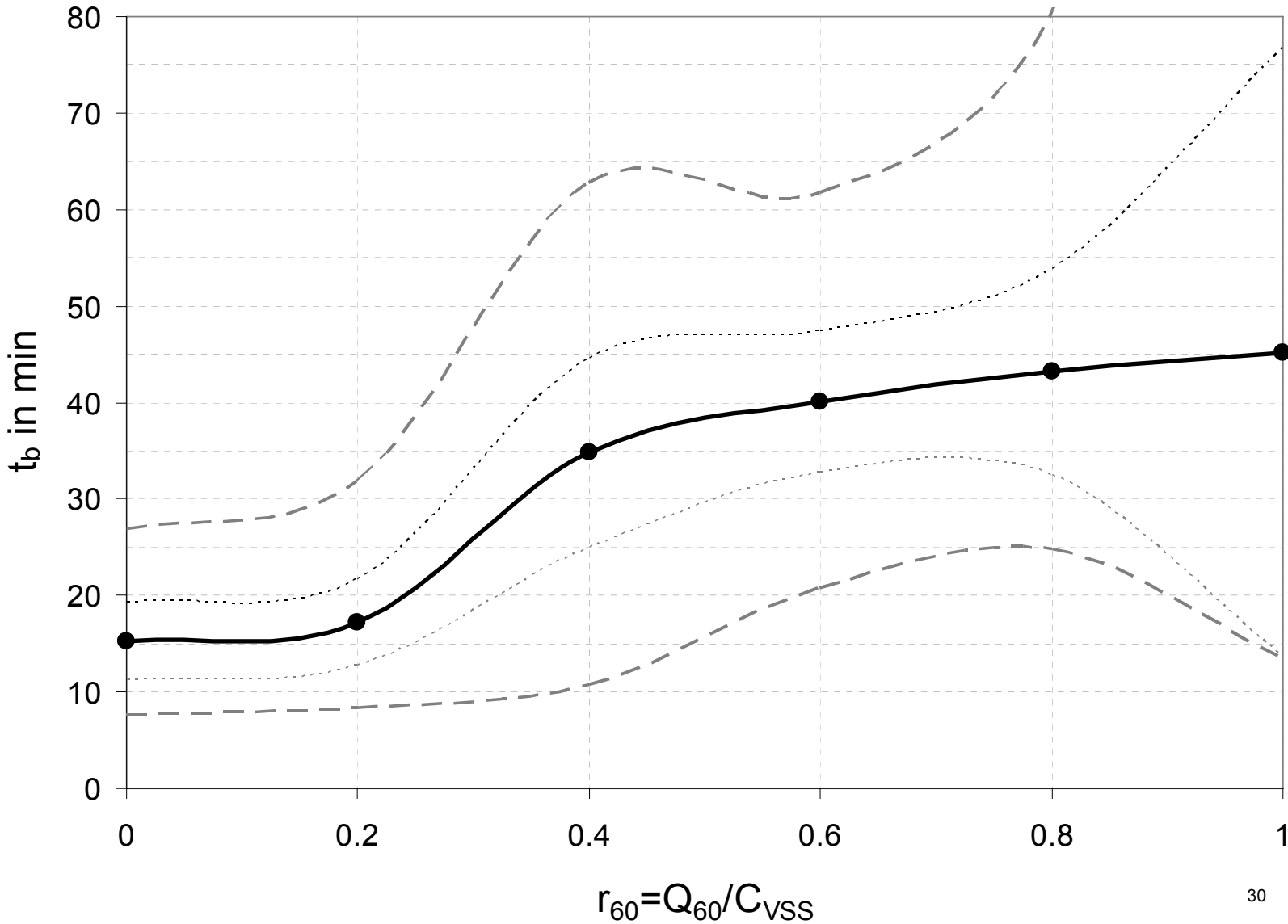


Heavy goods vehicles 0 – 5 %

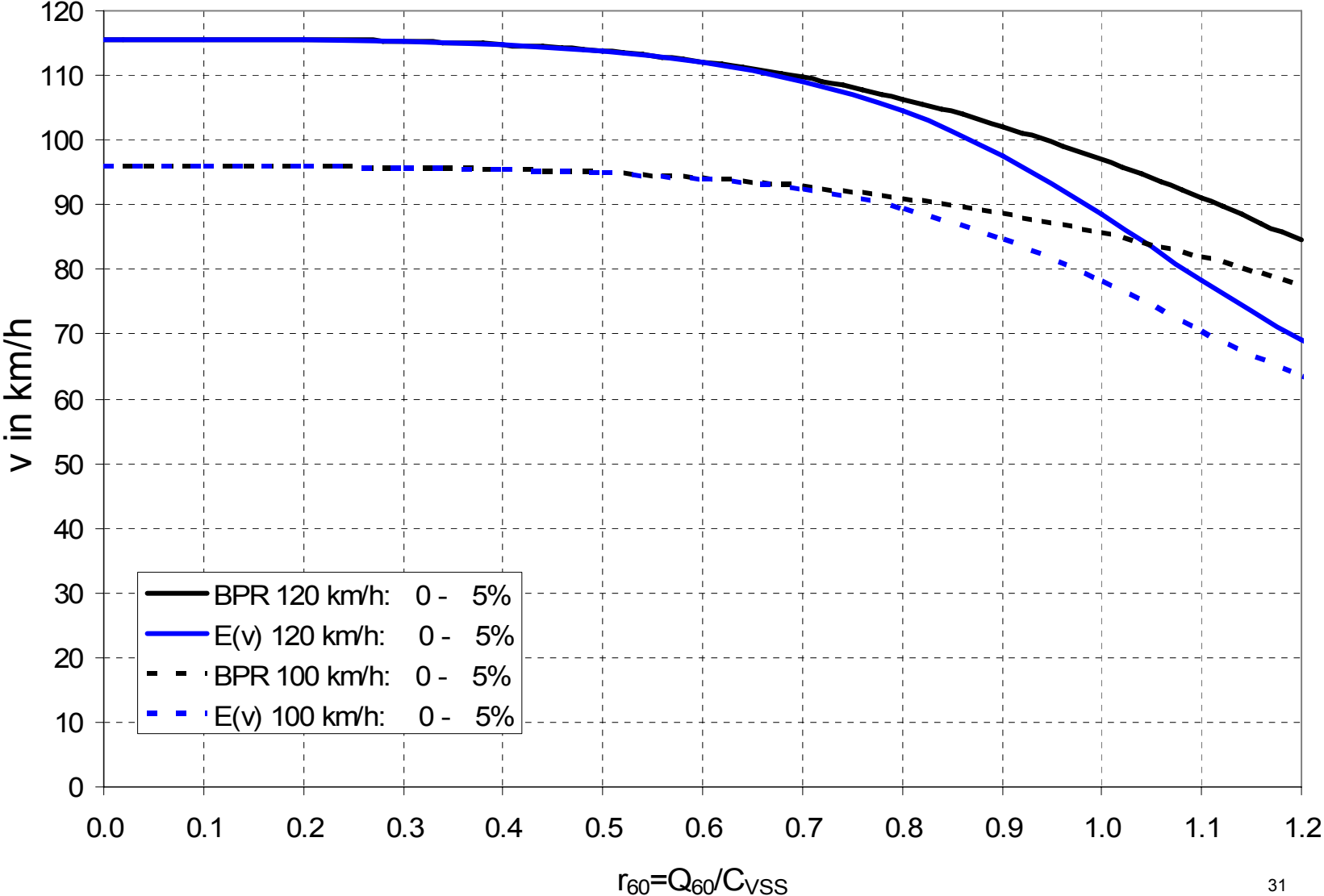
Speed reduction cars and heavy goods vehicles



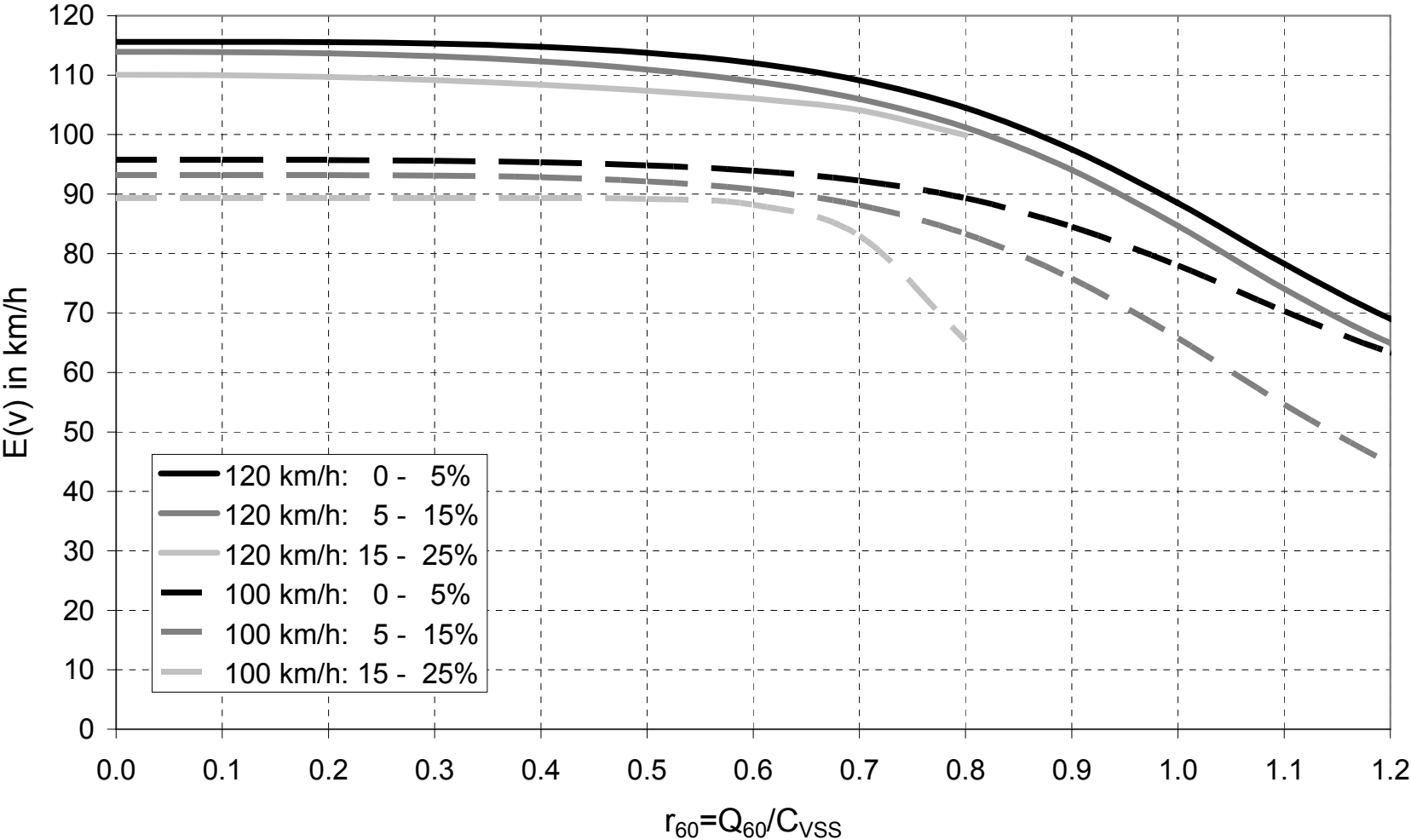
Breakdown duration



Speed with and without breakdowns



Speed (including breakdowns) by speed limit



Approximation of the user costs

Users N (with car occupancy o_o):

$$N = o_o \cdot Q_{60}$$

Value of travel time savings (VTTS):

$$COST_{tot} = N \cdot (VTTS_m \cdot t_m + (VTTS_m + VTTS_b) \cdot \Delta t_b)$$

or for a km:

$$\frac{COST_{tot}}{s} = o_o \cdot Q_{60} \cdot \frac{1}{v_m} \left(VTTS_m + (VTTS_m + VTTS_b) \left(\frac{1 - f_{mb}}{\Delta t / P_b t_b + f_{mb}} \right) \right)$$

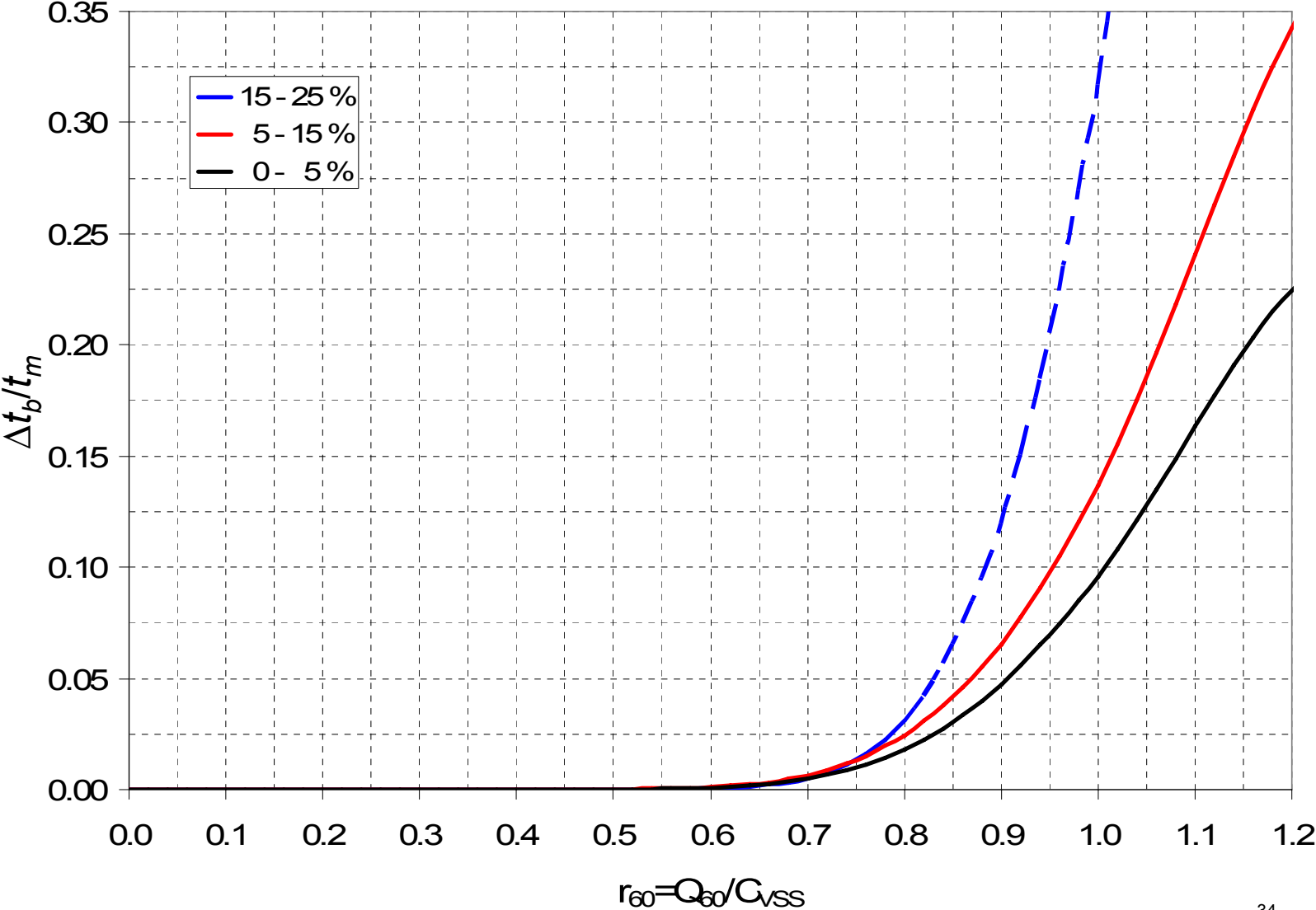
with function:

$$v_m = \frac{v_0}{1 + \alpha r_{60}^\beta}$$

and

$$\frac{\Delta t_b}{t_m} = \left(\frac{1 - f_{mb}}{\Delta t / P_b t_b + f_{mb}} \right)$$

Share of breakdown times (costs)



What has been achieved ?

- Detailed analysis of micro-variance
- Estimates of capacity as a random variable

- Reserve capacity as design tool for links

- Estimates of reserve capacities as random variables

- Cost estimates of breakdowns as a function of
 - Flow
 - Car occupancy
 - Breakdown probability
 - Breakdown duration
 - Share of heavy vehicles
 - Willingness to pay

What is missing ? - Outlook

- Standard demand profiles
- Link between peak hour and AADT
- Integration over the demand profile
- Non-linear penalty for lateness and unreliability